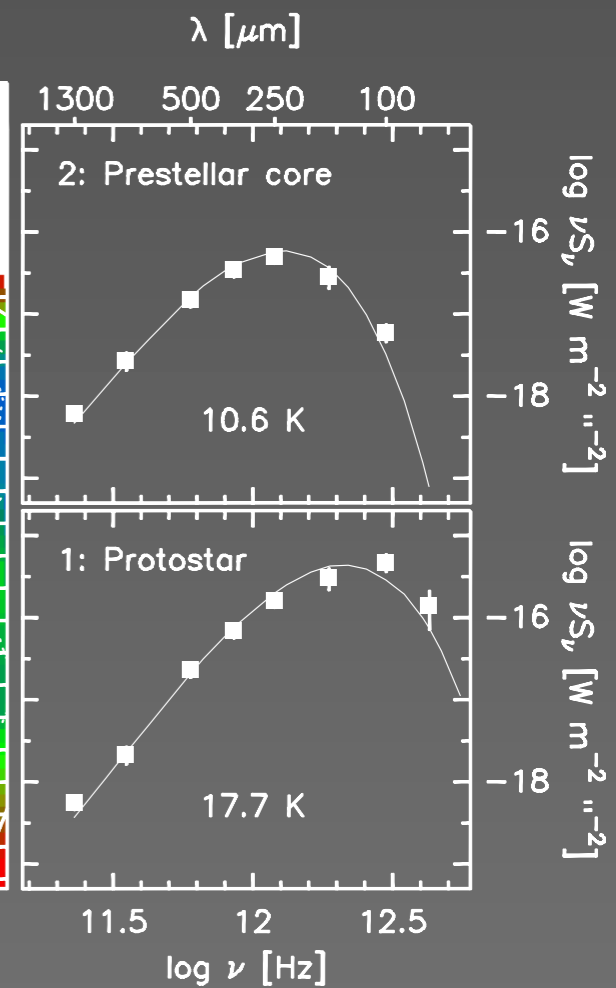
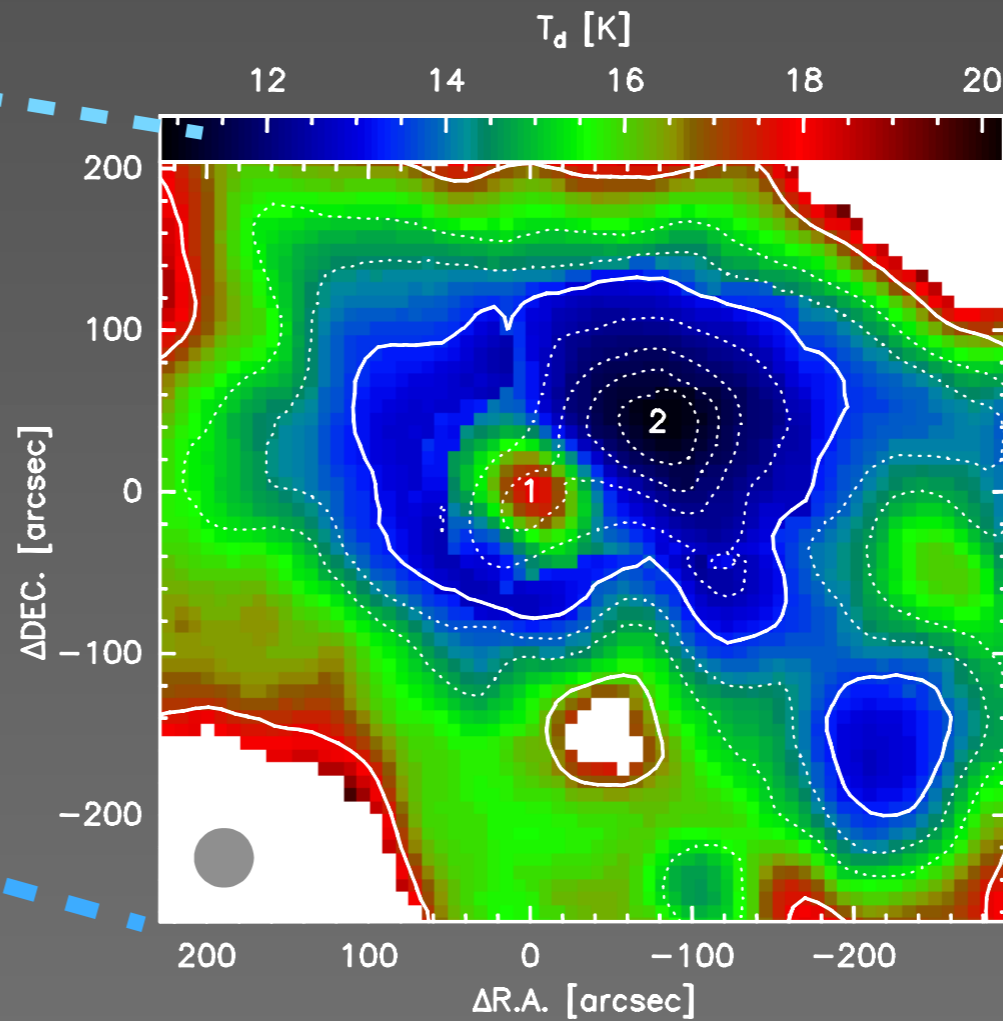
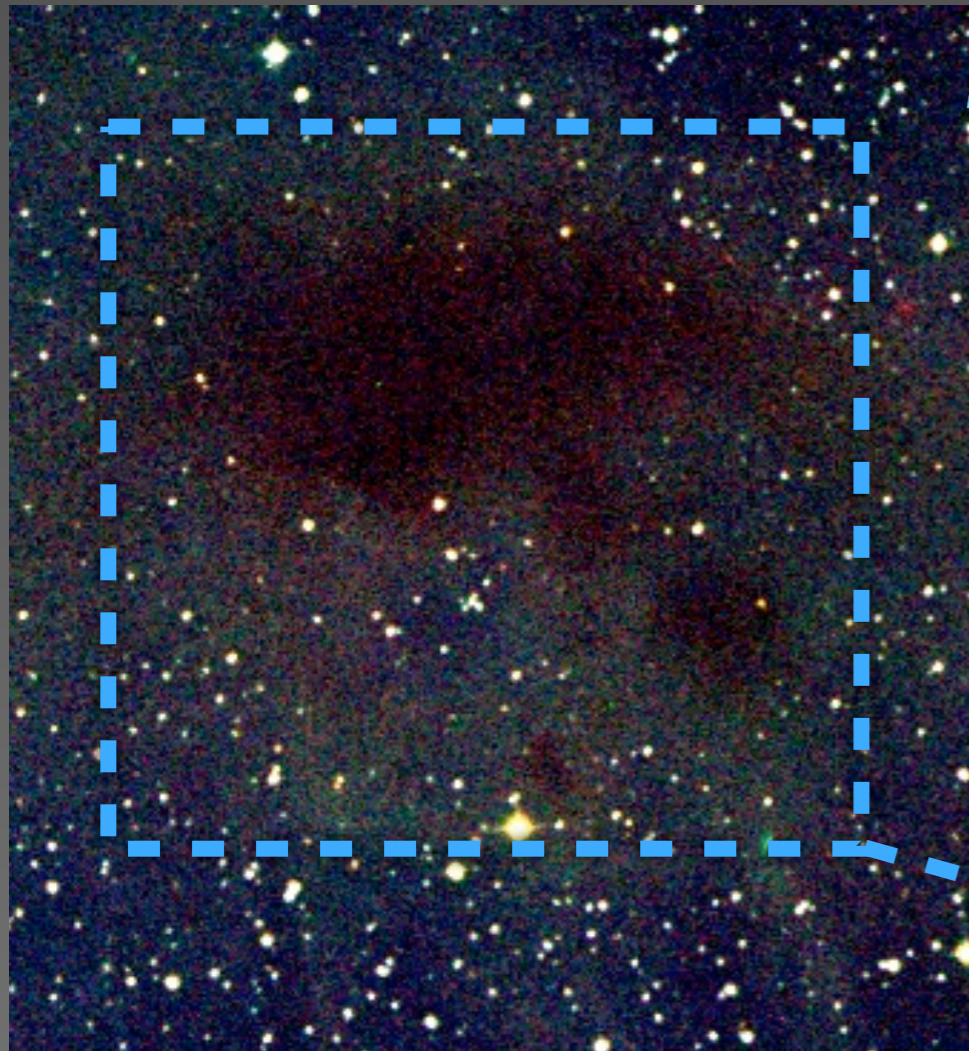




The Earliest Phases of Star Formation



Physical properties of isolated low-mass cores



Stutz et al. 2010, A&A, 518, L87

R. Launhardt (MPIA) & EPoS team



The EPoS team

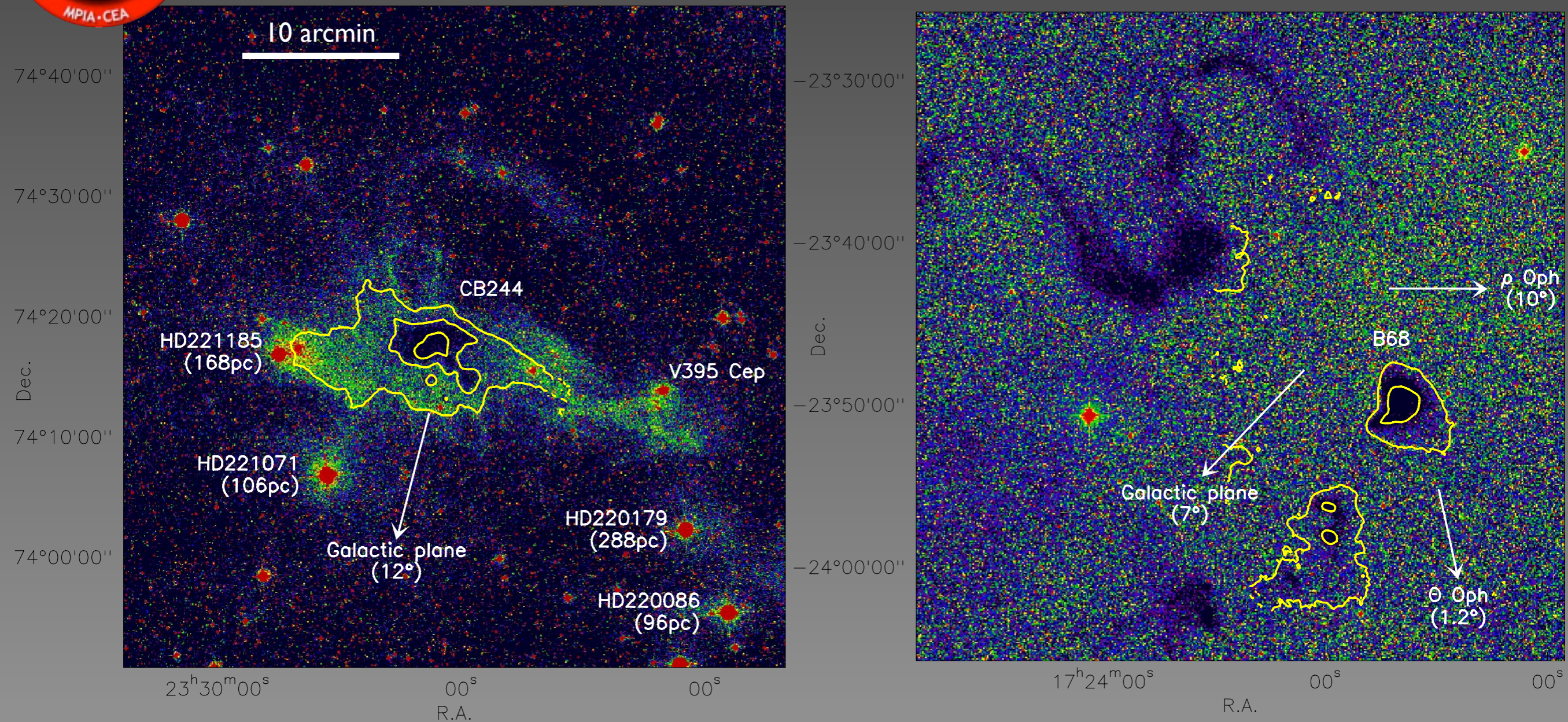
(incomplete and in alphabetical order)



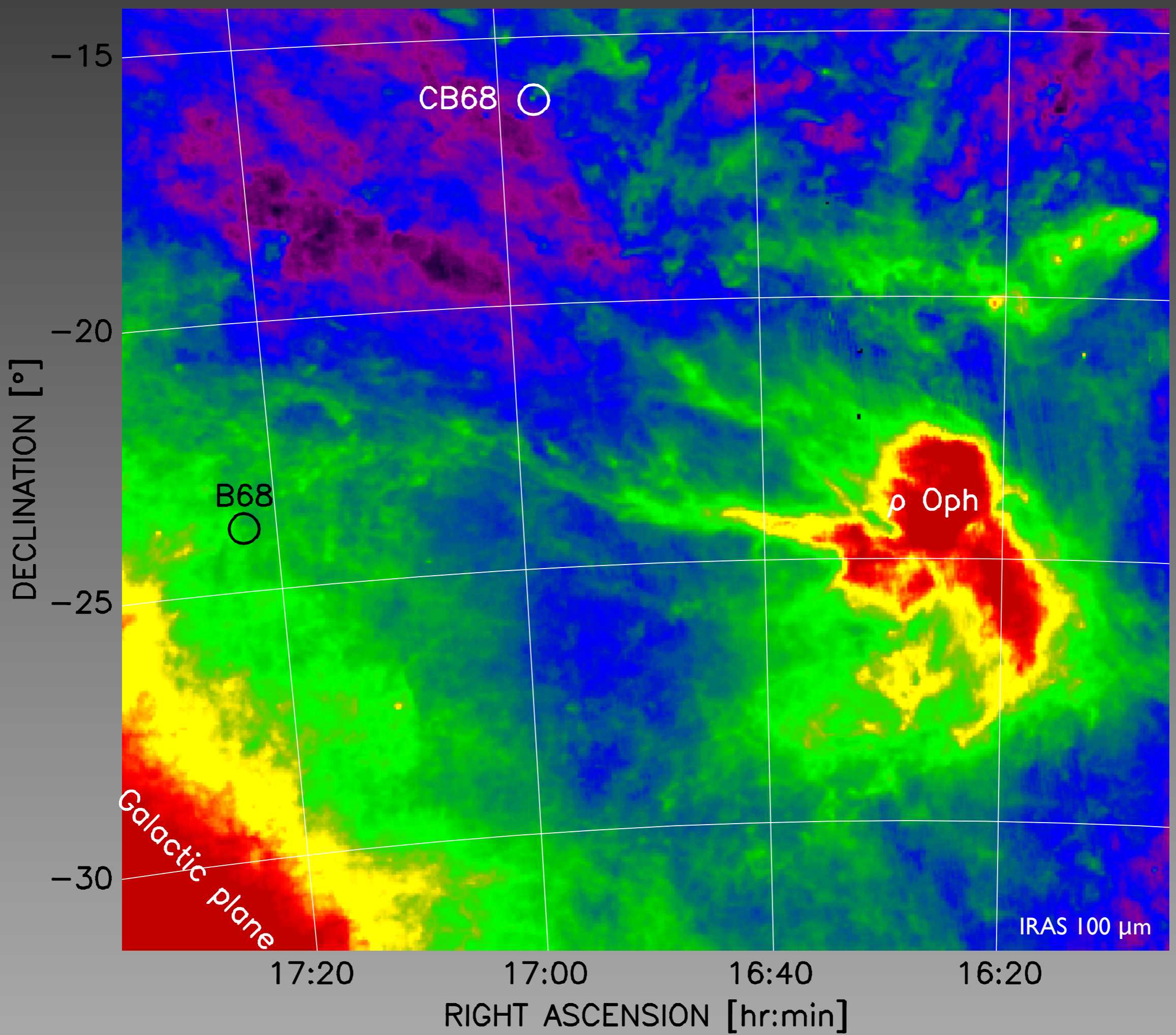
Z. Balog, J. Bouwman, H. Beuther, S. Birkmann, M. Hennemann, Th. Henning, J. Kaunulainen, T. Khanzadyan, O. Krause, R. Launhardt, H. Linz, N. Lippok, M. Nielbock, J. Pitann, S. Ragan, M. Schmalzl, A. Schmiedecke, Y. Shirley, A. Stutz, J. Steinacker, J. Tackenberg



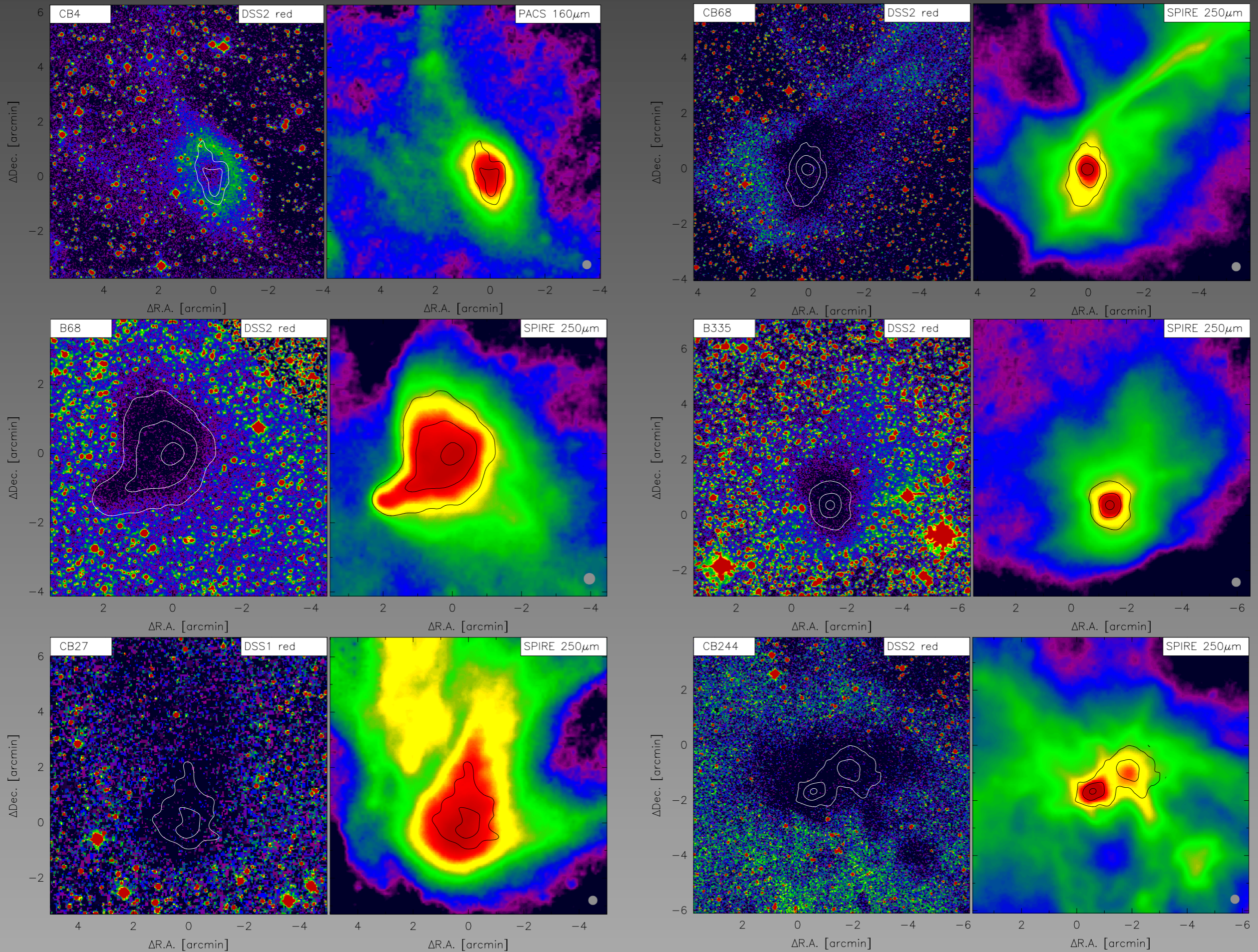
The EPoS (low-mass clouds) idea



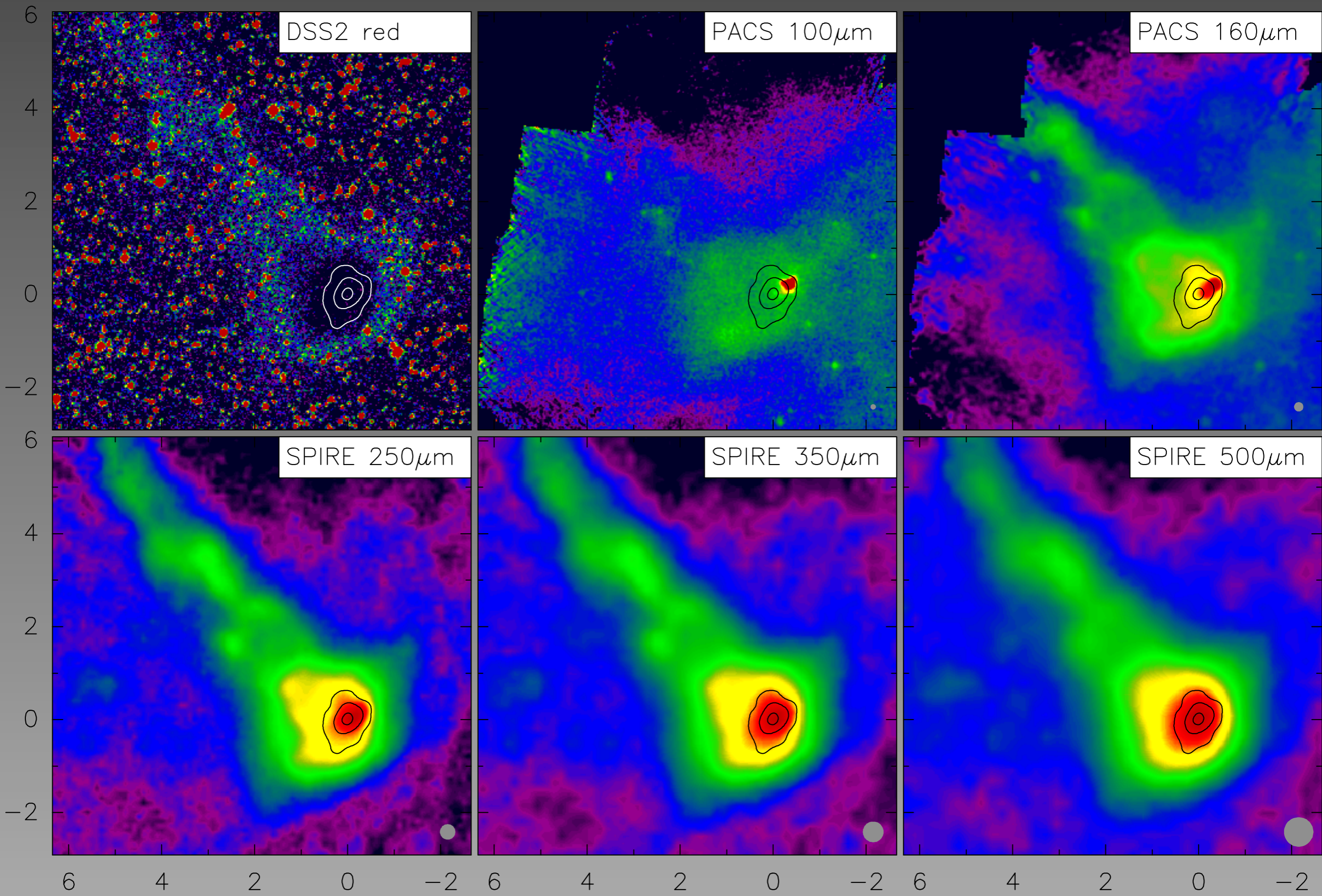
Map the FIR dust emission of small molecular clouds down to ambient background levels to restore the **temperature structure** with high accuracy and derive constraints on **dust properties**



Selected EPoS sources (DSS2 and SPIRE 250 μ m images)



Herschel images of CB17



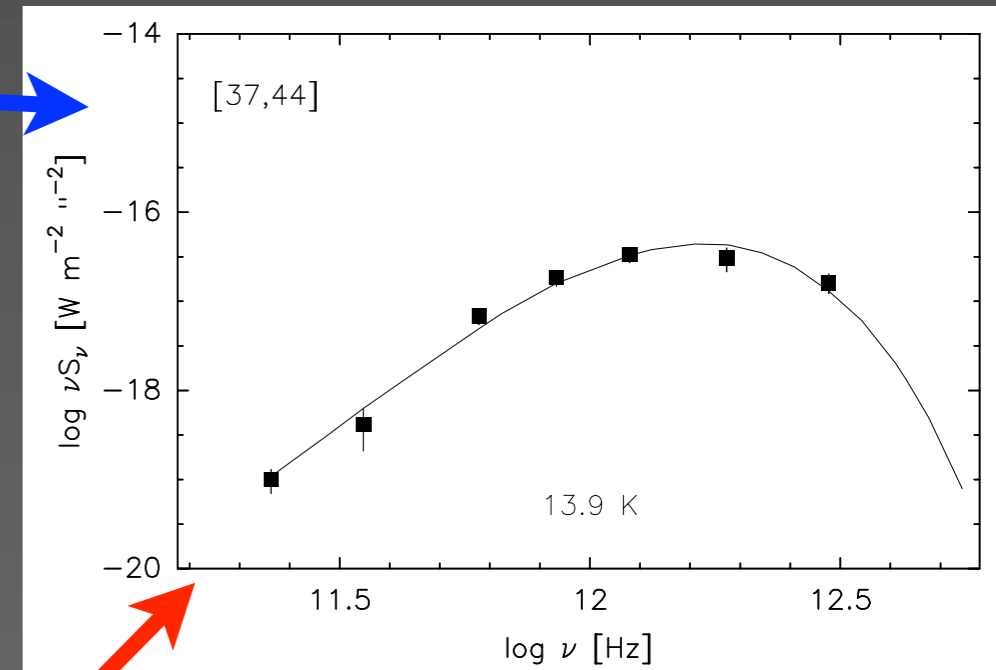
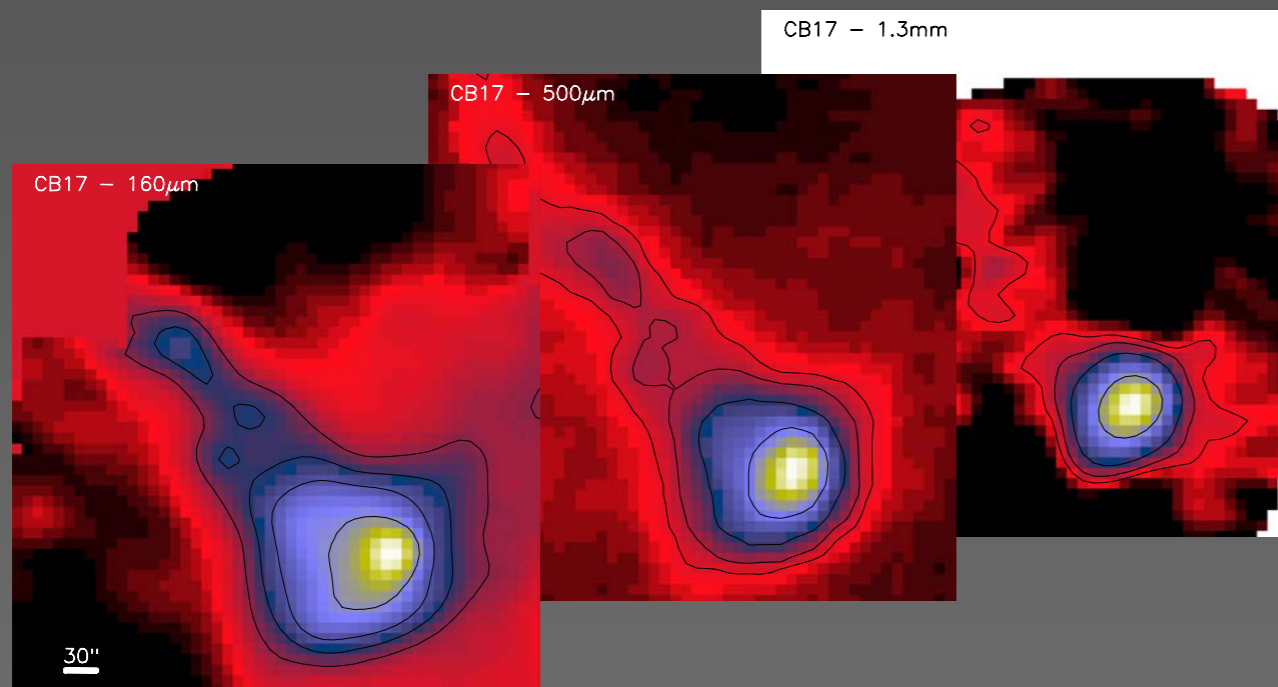
Deriving dust temperature maps:

1. Preparing the data:

- Herschel (100-500 μm), submm (0.45-2mm), NIR extinction (2.2 μm) maps
- Image reconstruction, common flux scale, coordinate system, pointing, resolution
- Derive and subtract background levels
- Estimate true background levels from IRAS and ISO maps, CIB, CMB

2. Extract SED for each pixel:

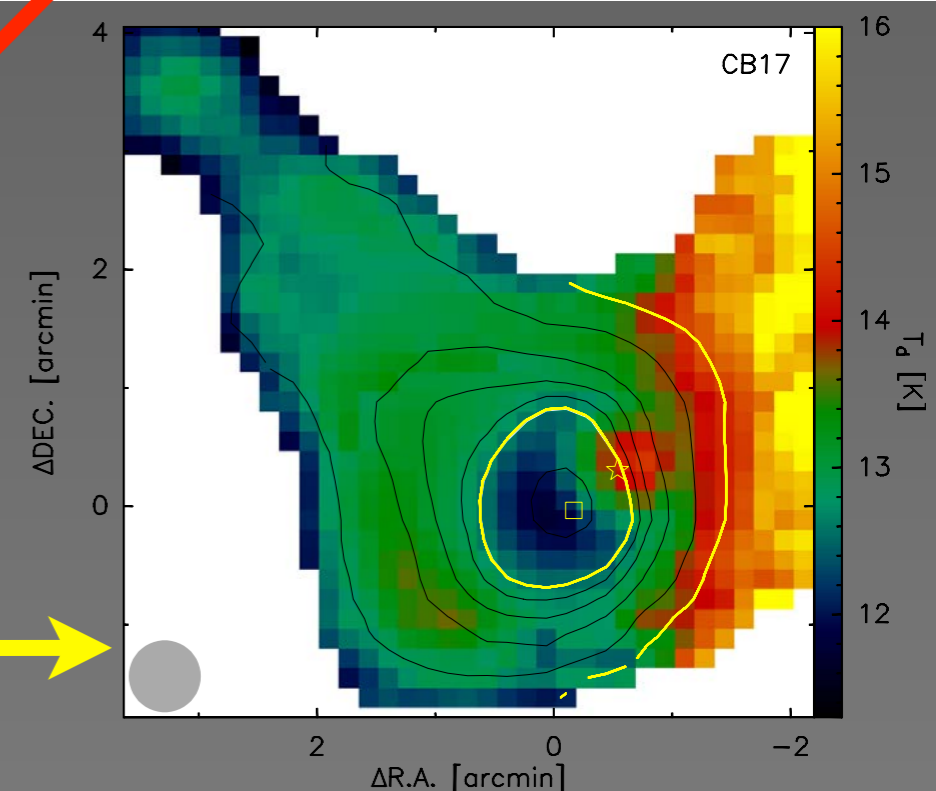
- Color corrections based on flux ratios



3. χ^2 fit single-T modified BB-SED:

$$S_\nu = \Omega (1 - e^{-\tau(\nu)}) (B_\nu(\nu, T_d) - I_{bg}(\nu))$$
$$\tau(\nu) = N_H m_H M_d / M_H K_d(\nu)$$

4. Construct maps of τ -averaged dust temperature and column density:



Deriving dust temperature maps:

5. Reconstruct 3-D T_d and n_H structure (as model-independent as possible):

In plane of sky:

iterate

Along line of sight:

χ^2 fit ΔT & n_0

derive

r_0, η

T_{out}, K_0, r_{out}

from plane-of-sky profiles

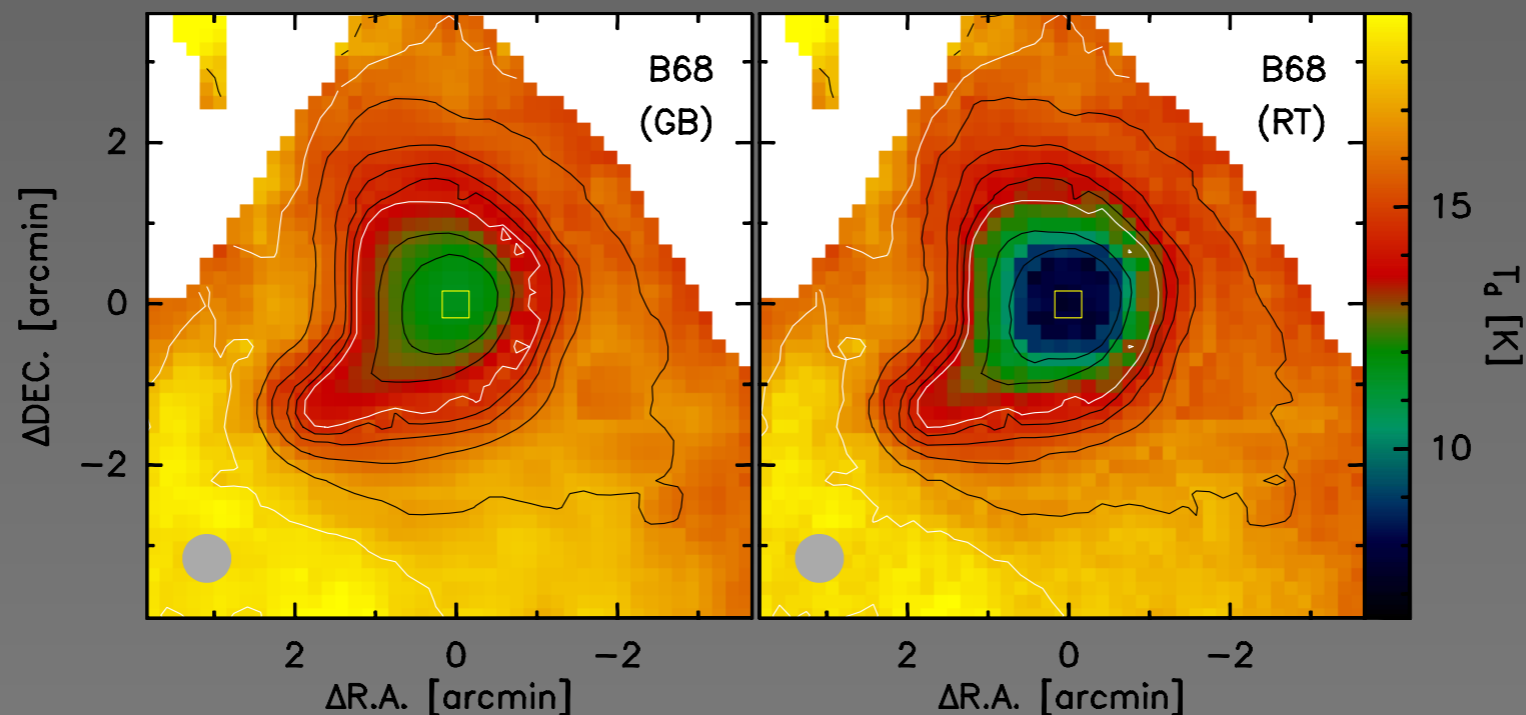
$$n(r) = \frac{n_0}{(1+(r/r_0)^2)^{\eta/2}}$$

$$T(r) = T_{out} - \Delta T(1 - e^{-\tau(r)})$$

$$\text{with } \tau(r) \sim K_0 \int_r^{r_{out}} n_H(x) dx$$

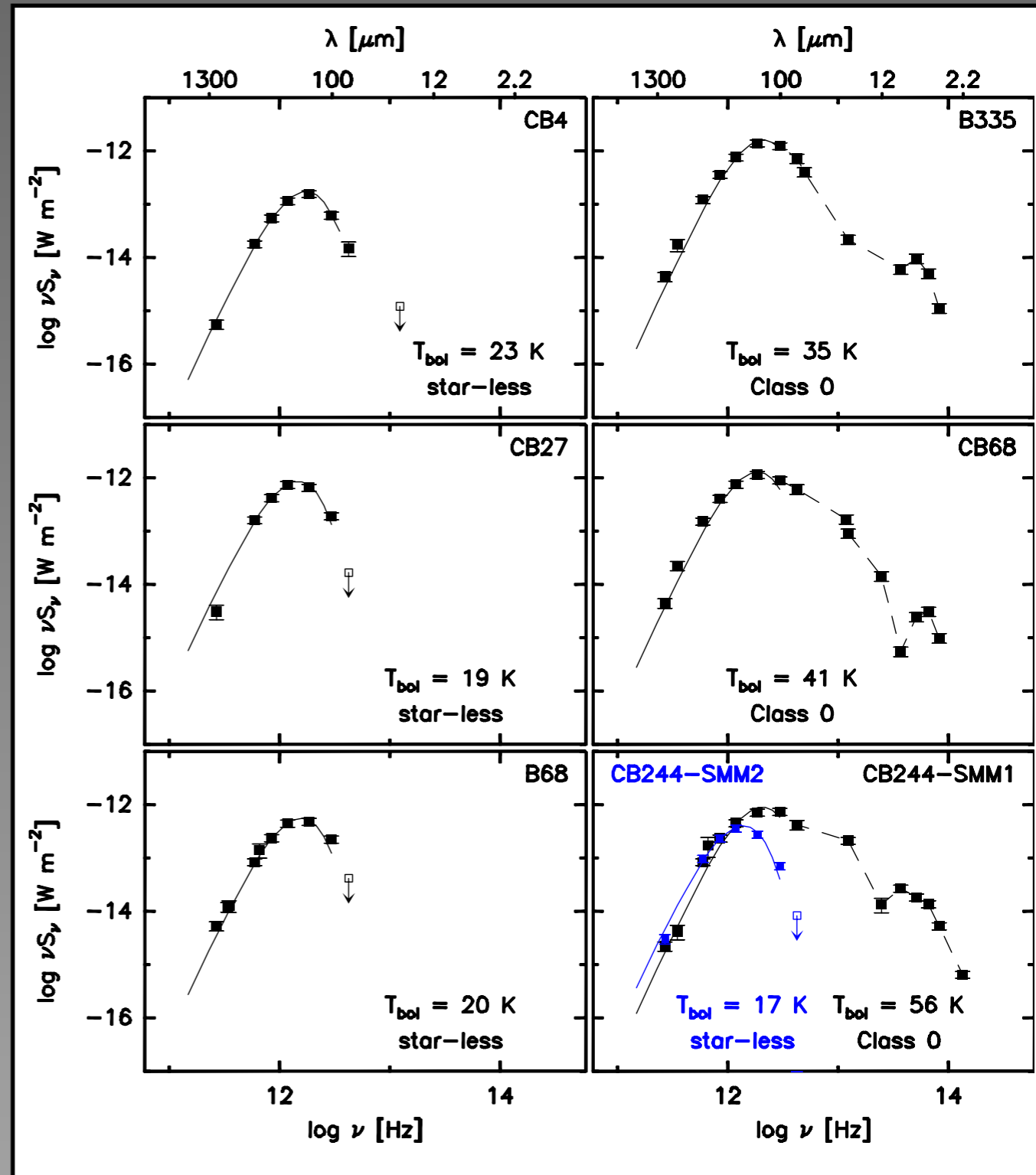
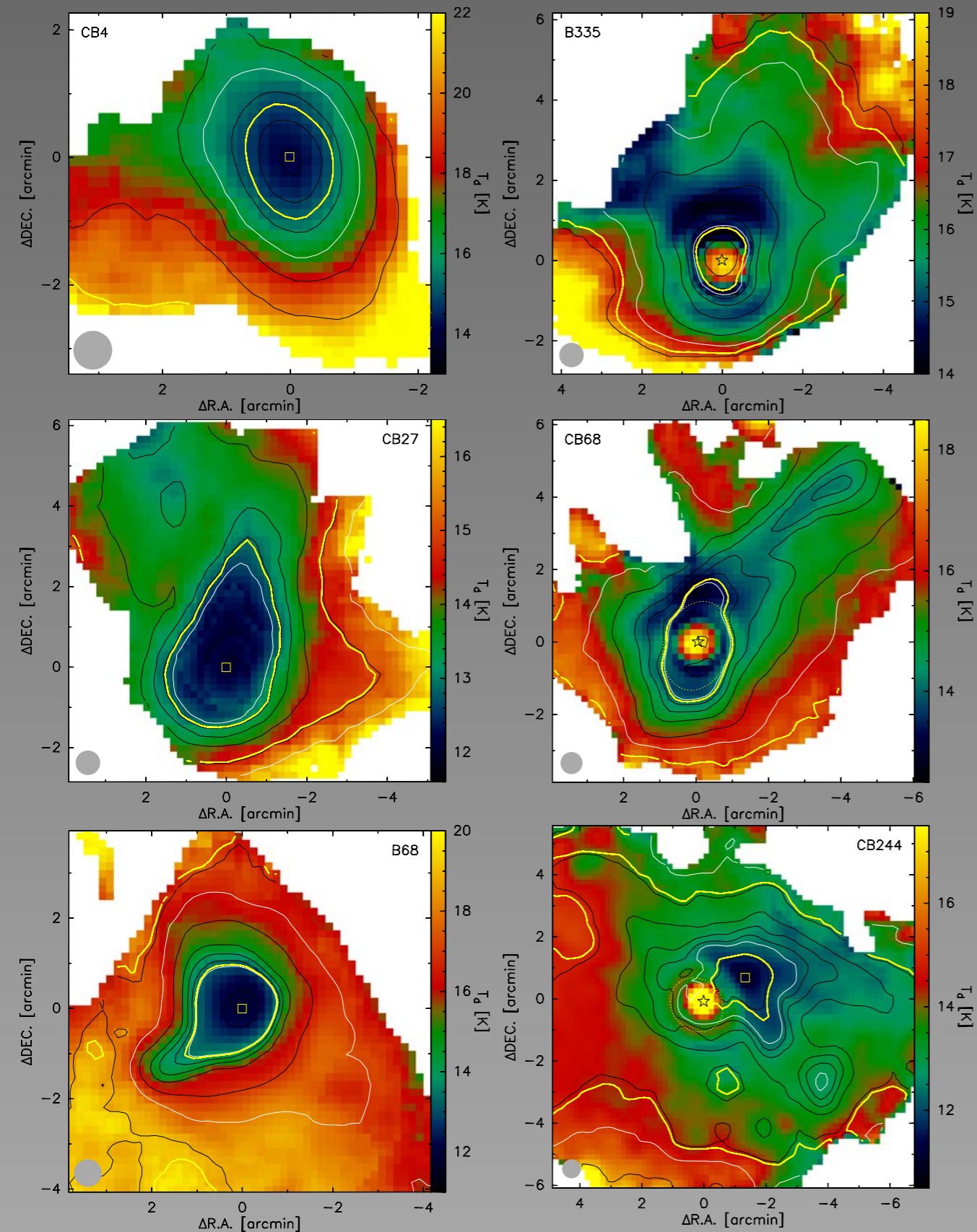
$$S_\nu = \int \Omega (1 - e^{-\tau}) (B_\nu(T) - I_{bg}) dz$$

LoS τ -averaged temp. \rightarrow true local midplane temp.



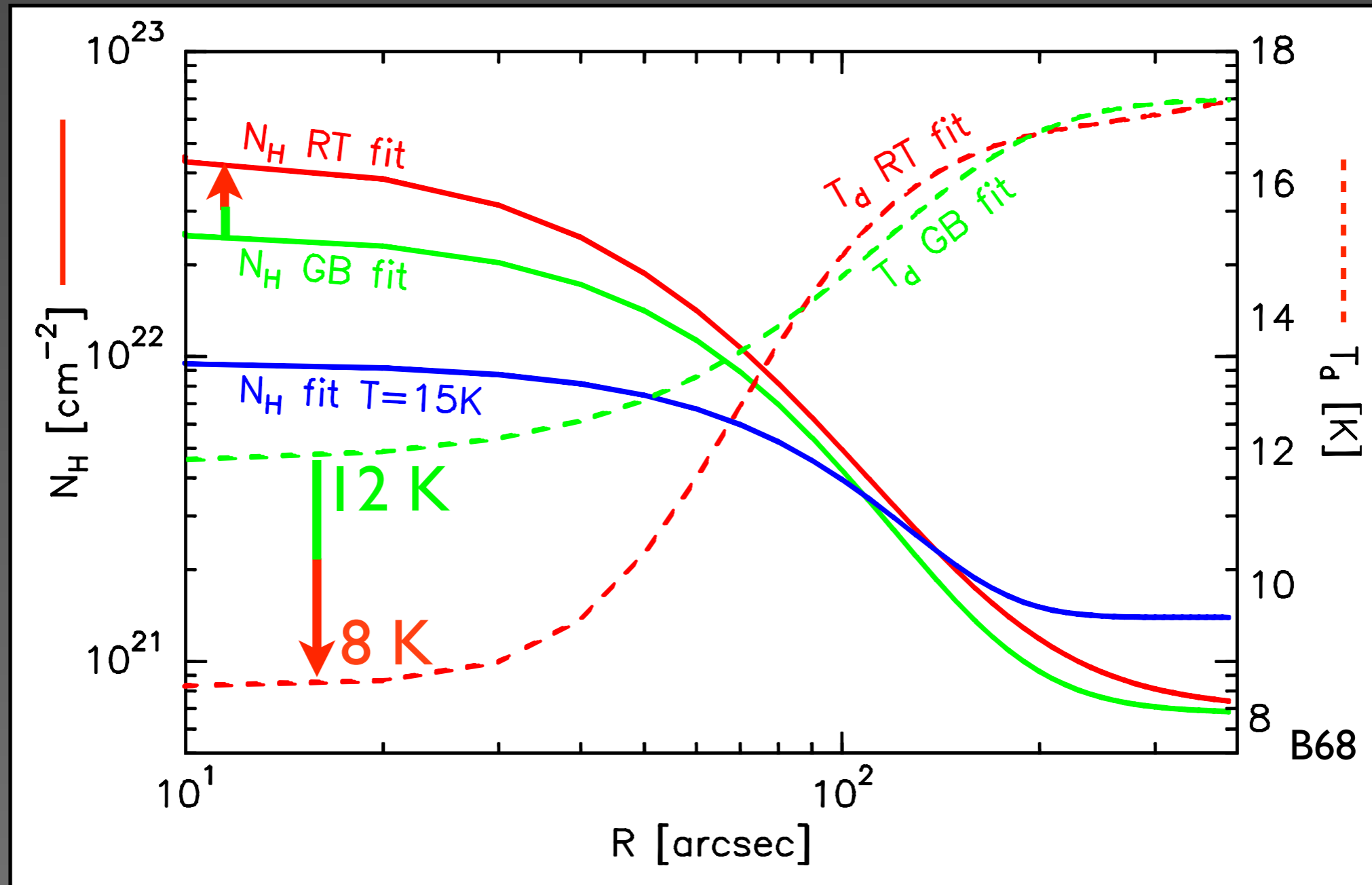
cf. Posters
P59 (Nielbock)
P67 (Roy)

T_{dust} and N_{H} maps and SEDs:

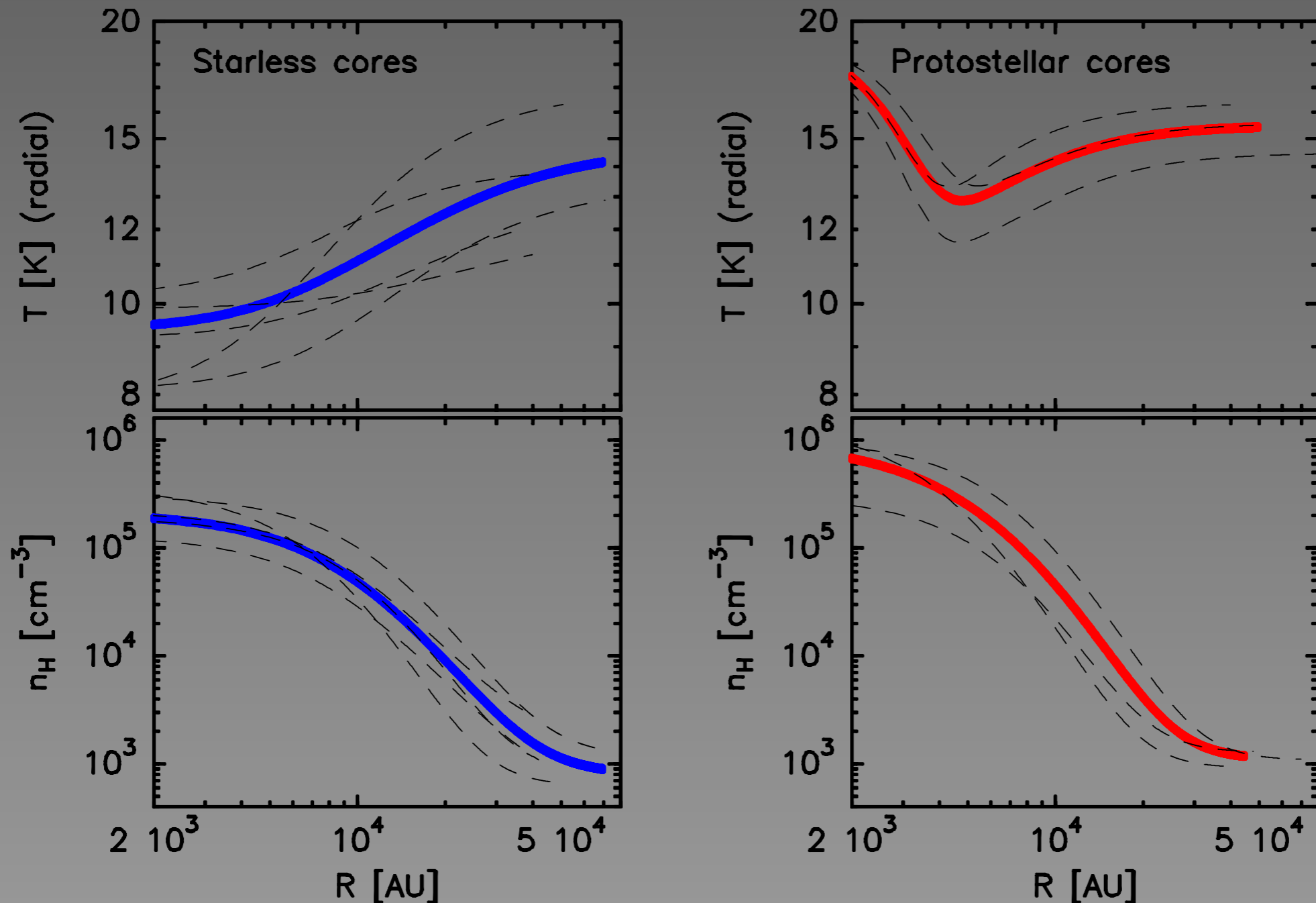


Fluxes are integrated within $1/e \times N_{\text{H}}^{\text{peak}}$ contour ($D \sim 2-3 \times 10^4 \text{AU}$)

LoS τ -averaged temp. \leftrightarrow Midplane temp. from RT



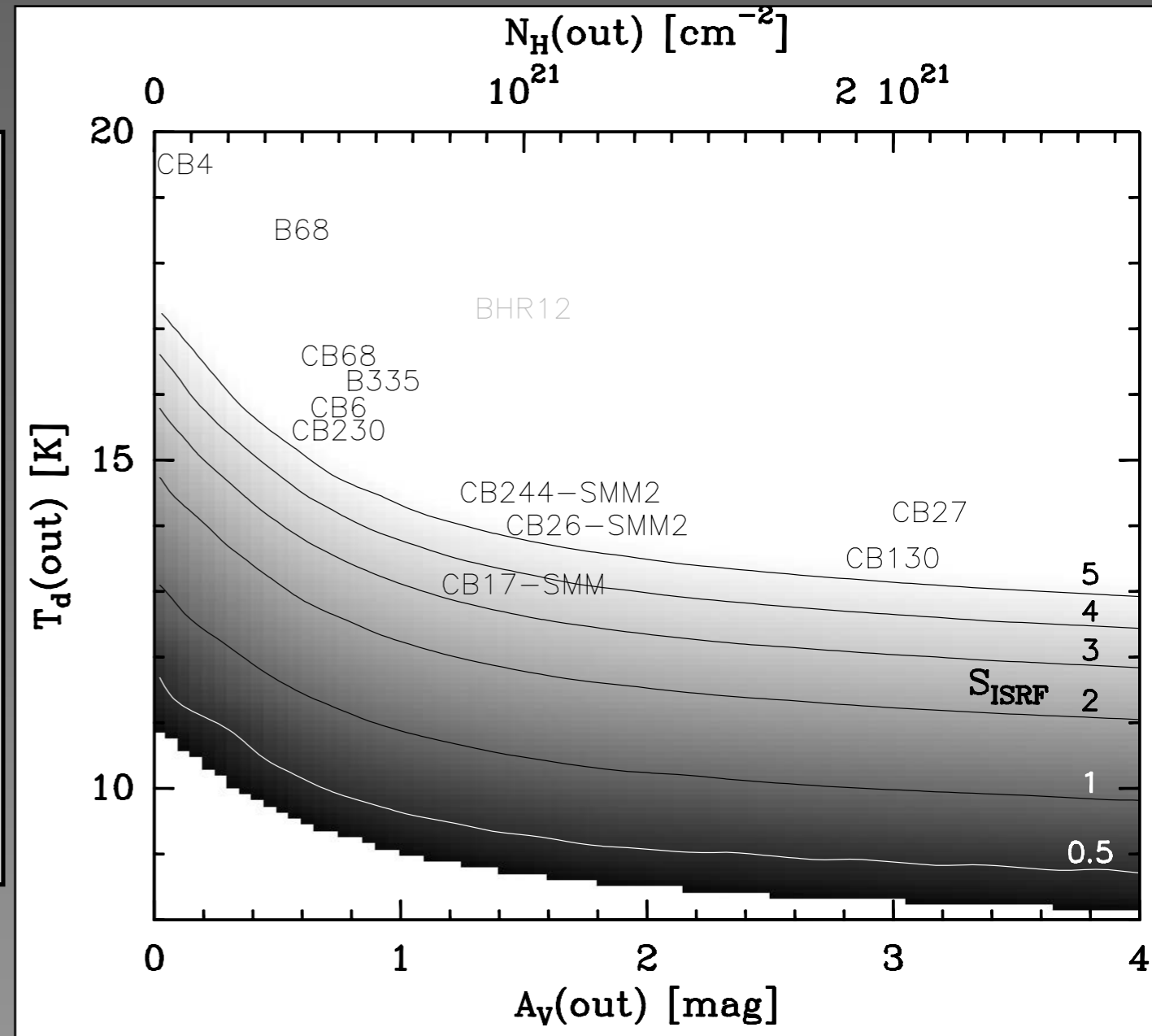
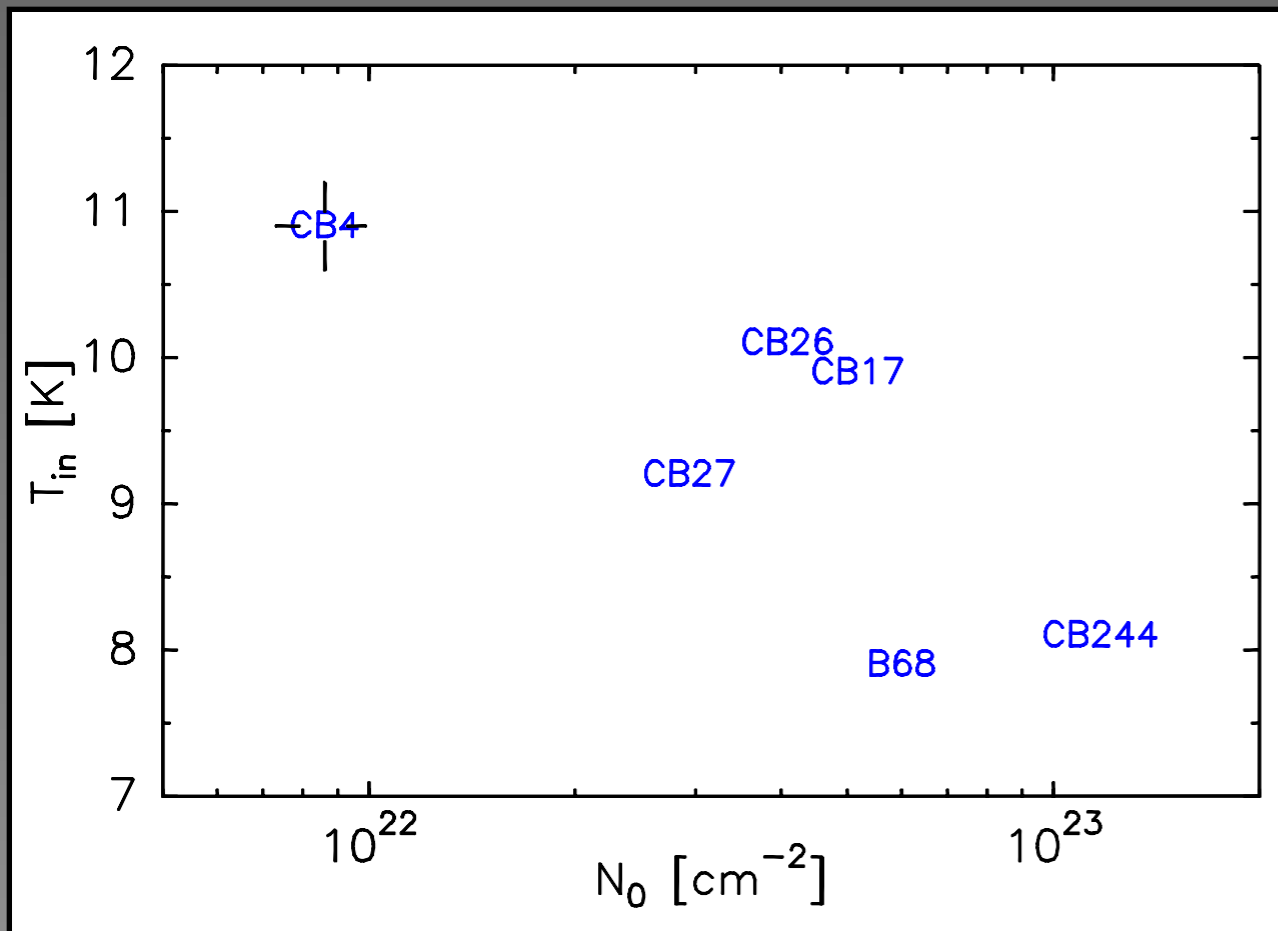
Radial temperature and density profiles:



- All sources are dominated by ISRF heating at radii > 5000 AU
- The luminosity is reprocessed ISRF (mostly UV) plus embedded protostars
- The mean outer temperature of all globules is $\sim 15 \pm 1$ K
- The lowest central temperatures we detect are $\sim 8 \pm 1$ K
- Specific luminosity = $5.8 \pm 1.8 L_{\text{sun}} \text{ pc}^{-2}$ (\Rightarrow ISRF)

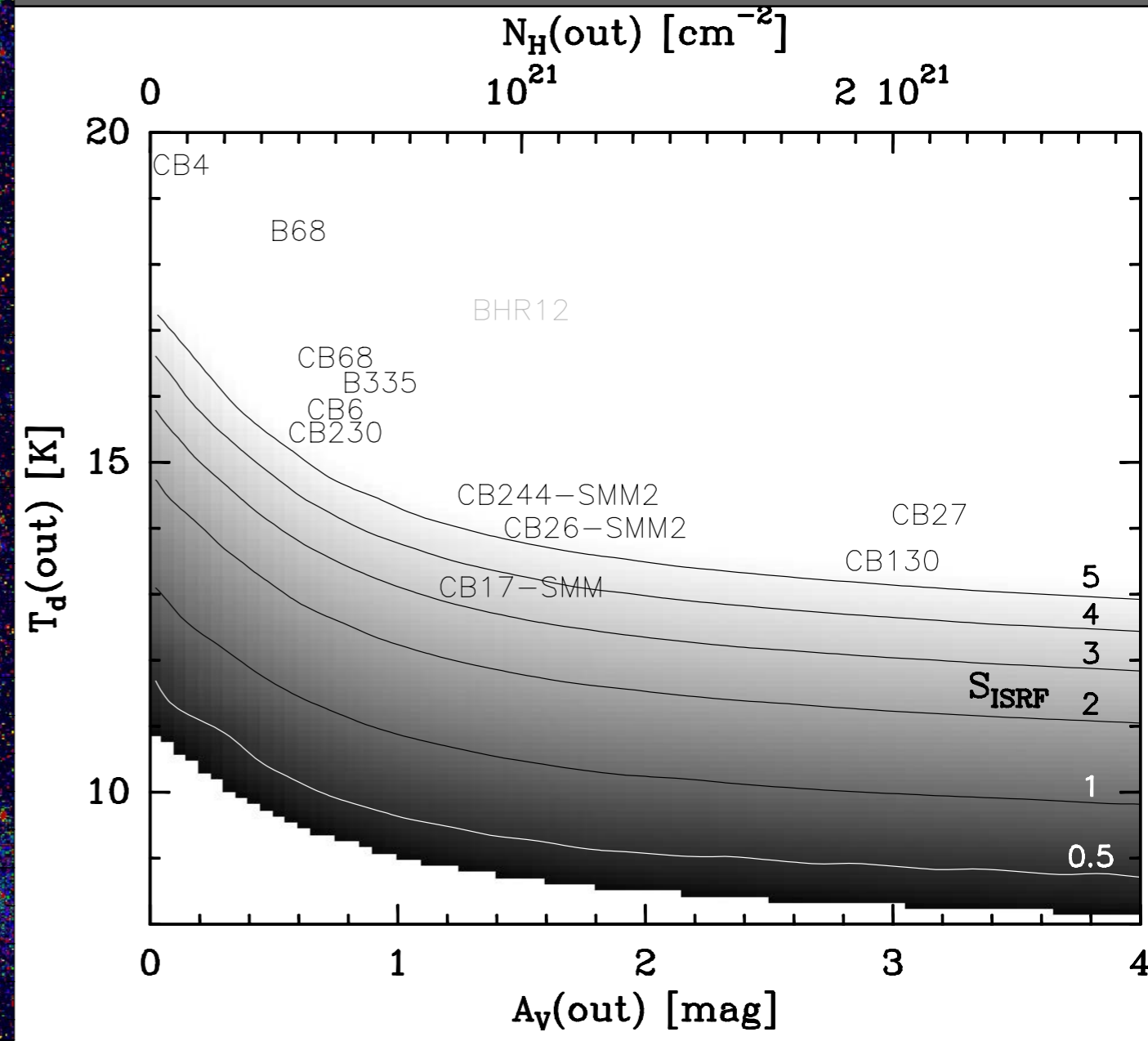
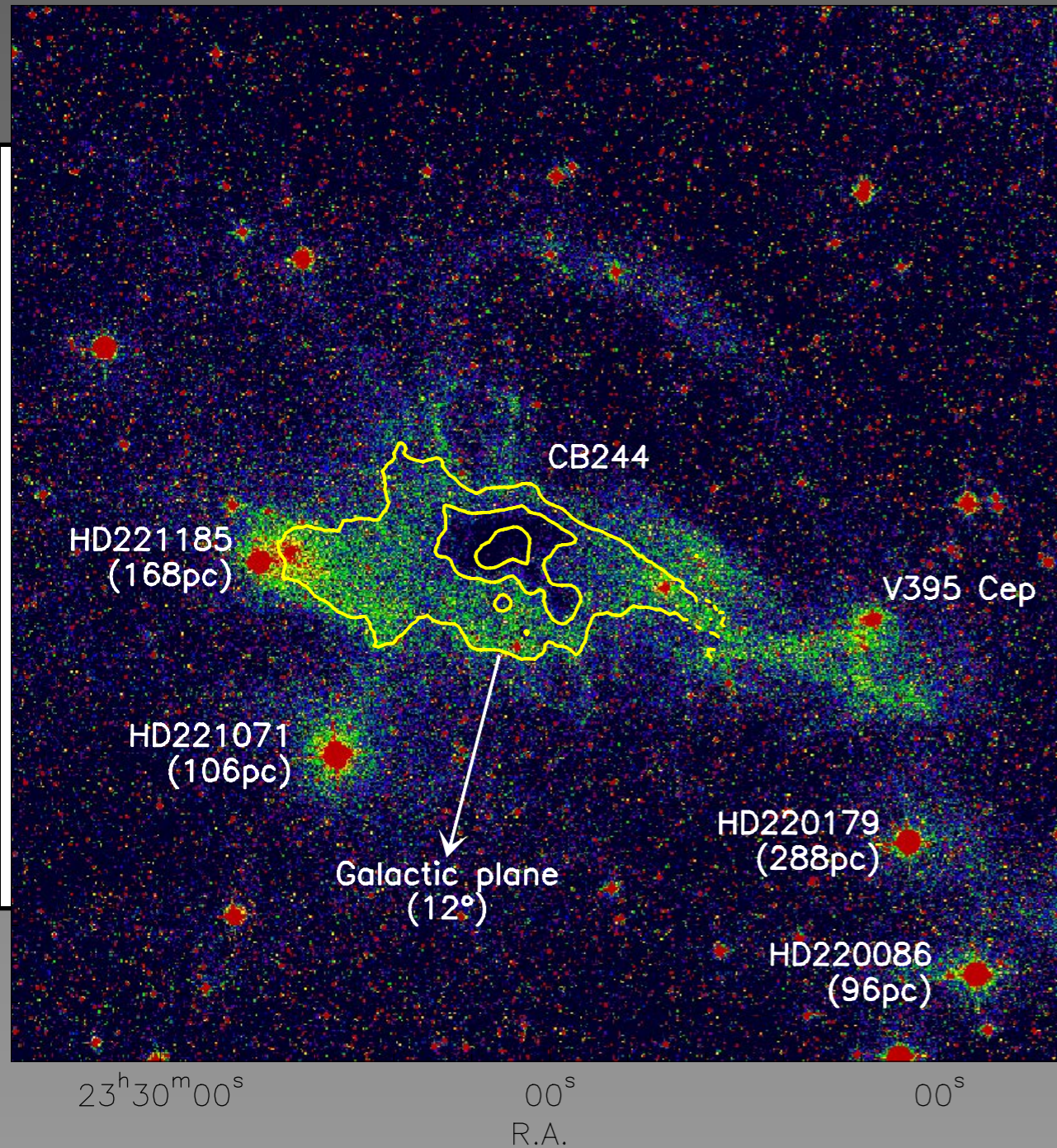
<i>Stutz et al.</i>	2010, A&A 518, L87
<i>Nielbock et al.</i>	2012, A&A 547, 11
<i>Launhardt et al.</i>	2013, A&A 551, 68
<i>Lippok et al.</i>	2013, A&A, in press
<i>Schmalzl et al.</i>	2013, A&A, subm.

ISRF - heating and shielding



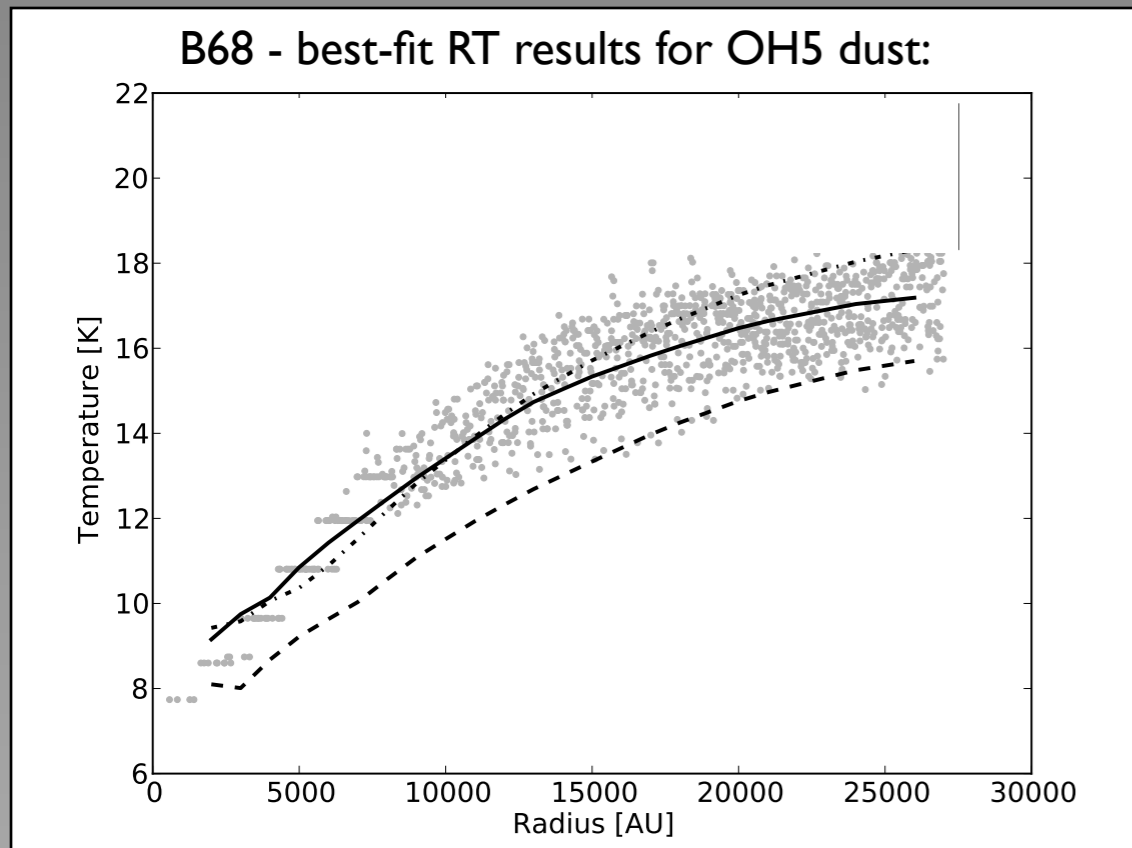
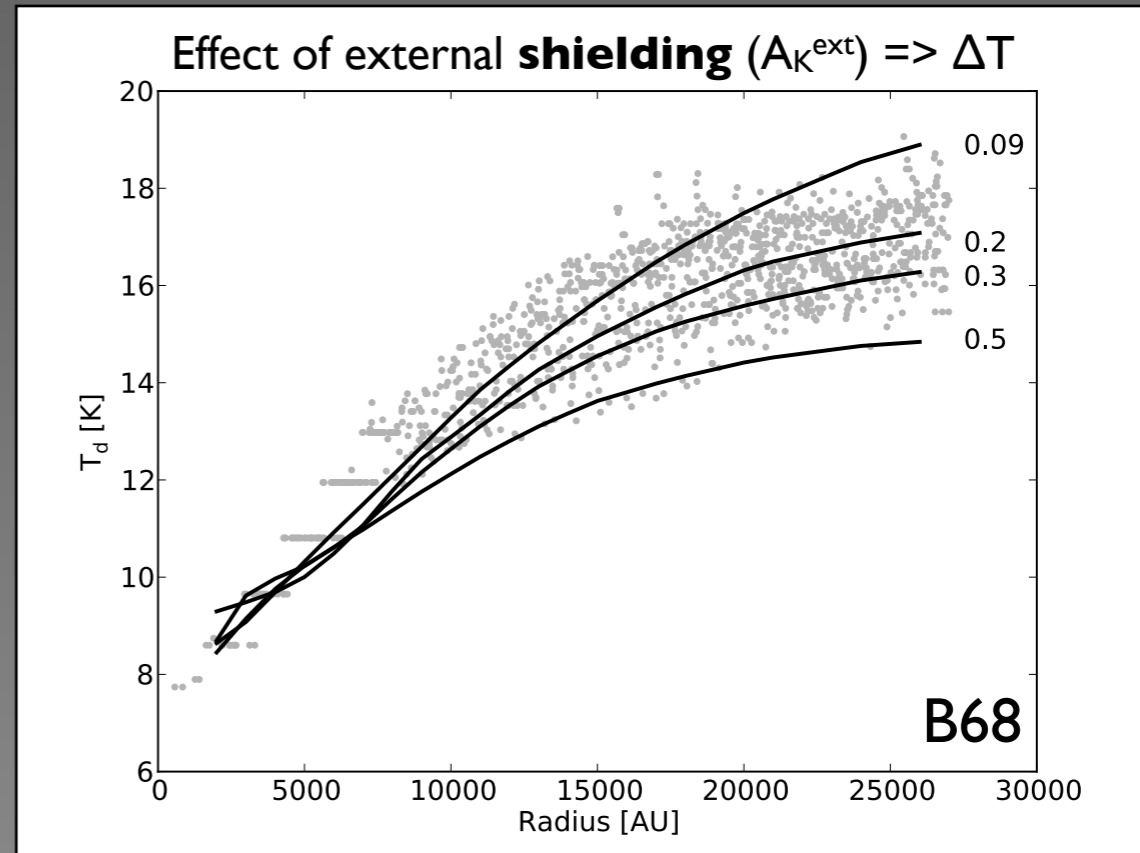
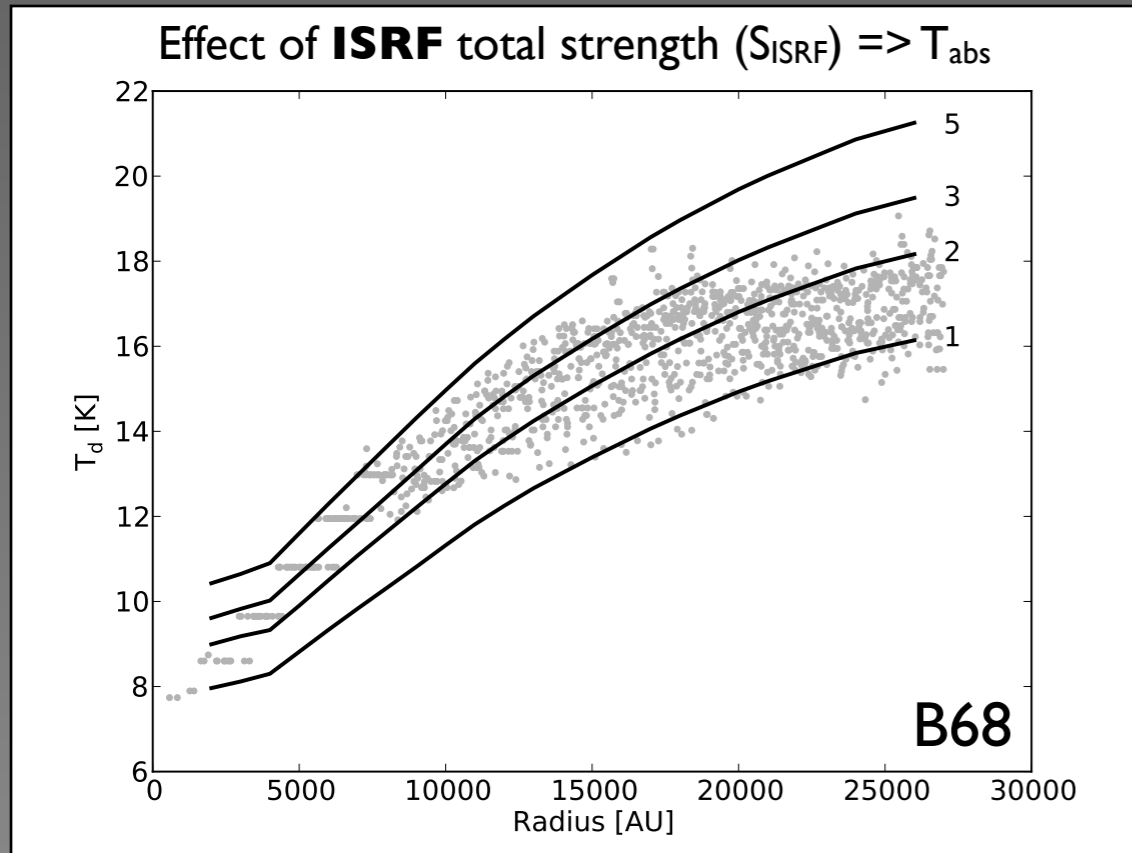
- Central temperature correlates with total column density to outer “boundary”
- Envelope temperature correlates with extinction (N_H) in outer “halo”

ISRF - heating and shielding



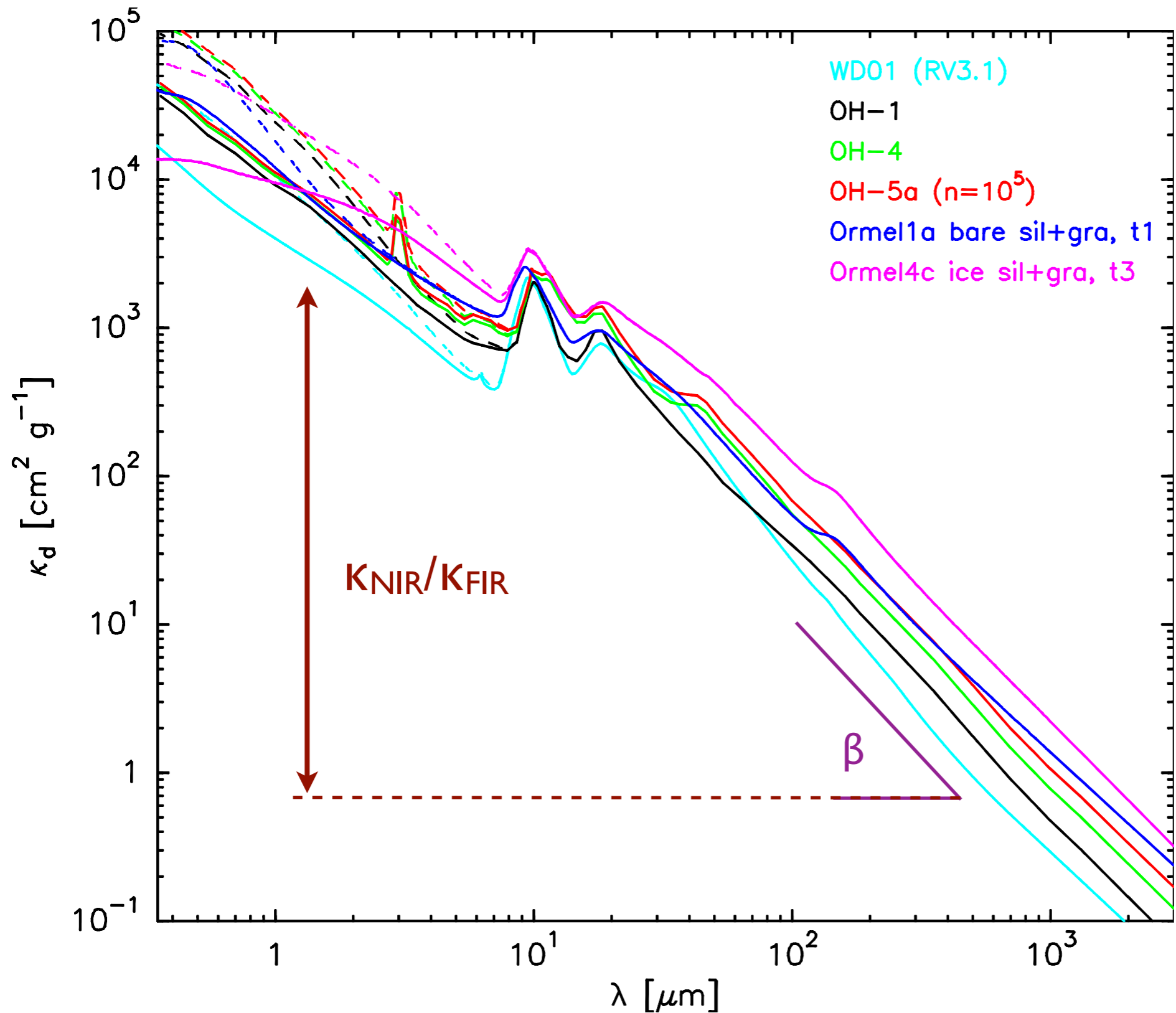
- Central temperature correlates with total column density to outer “boundary”
- Envelope temperature correlates with extinction (N_H) in outer “halo”

Verification with selfconsistent radiative transfer:



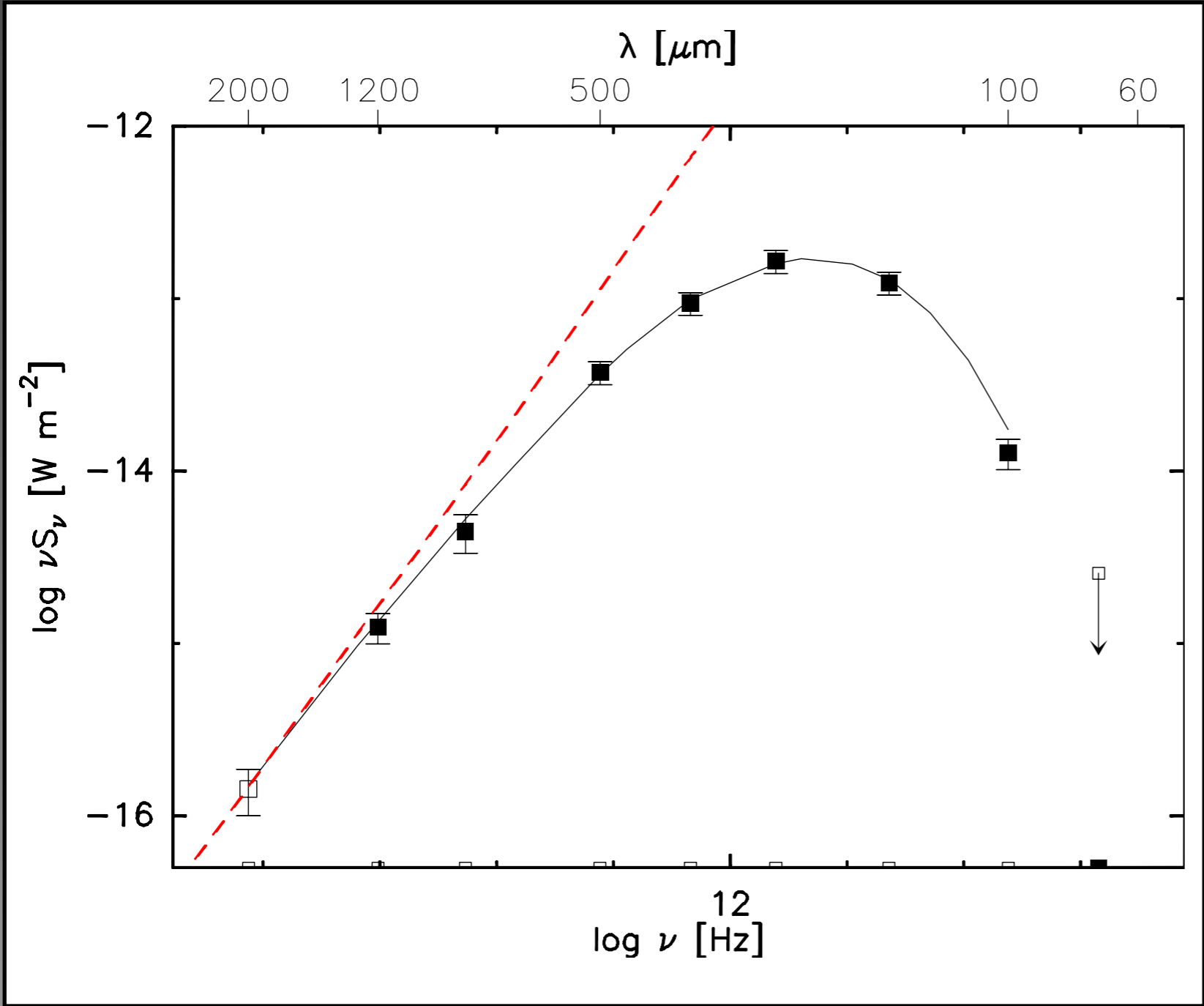
- T_{out} can be well reproduced for all cores with $S_{\text{ISRF}} = 1$ and observed A_K^{ext}
- T_{in} well reproduced for 3 sources, but significantly lower than observed for 3 others
- Results are (nearly) independent of dust model used
- Work in progress

Constraining the dust opacity law



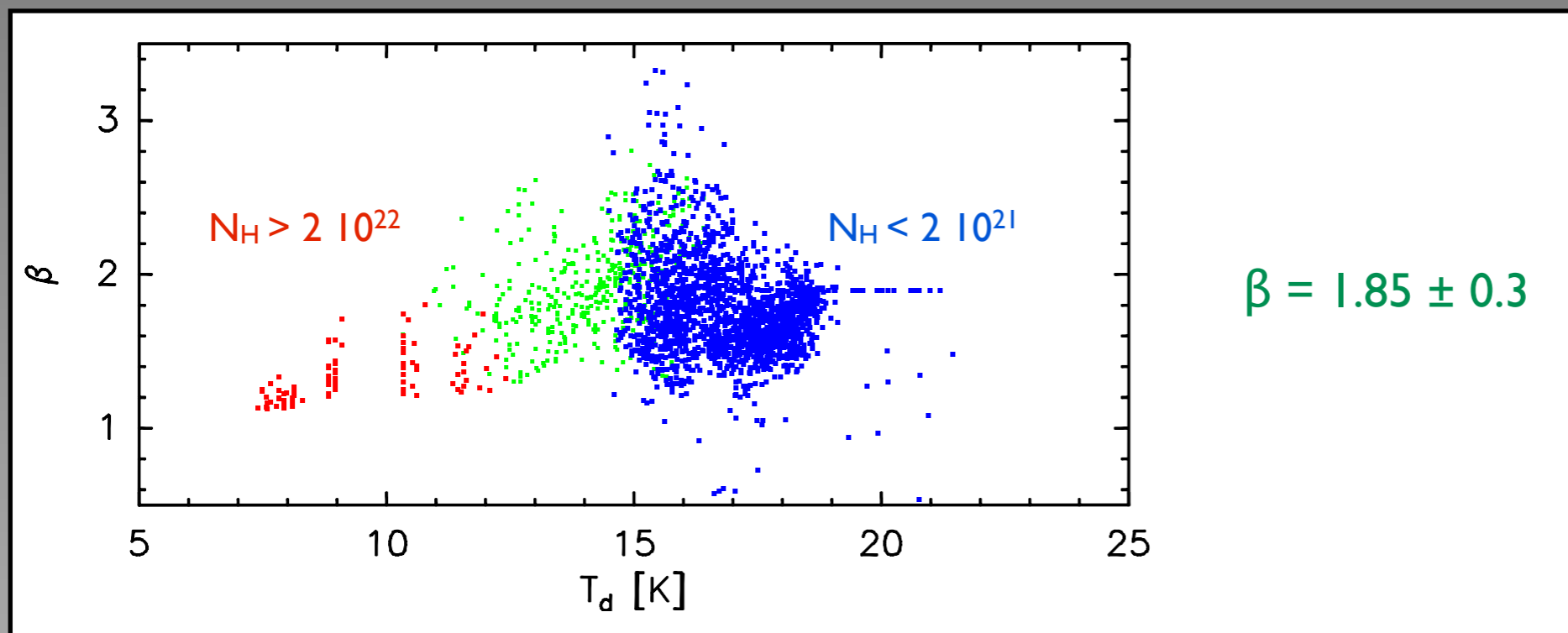
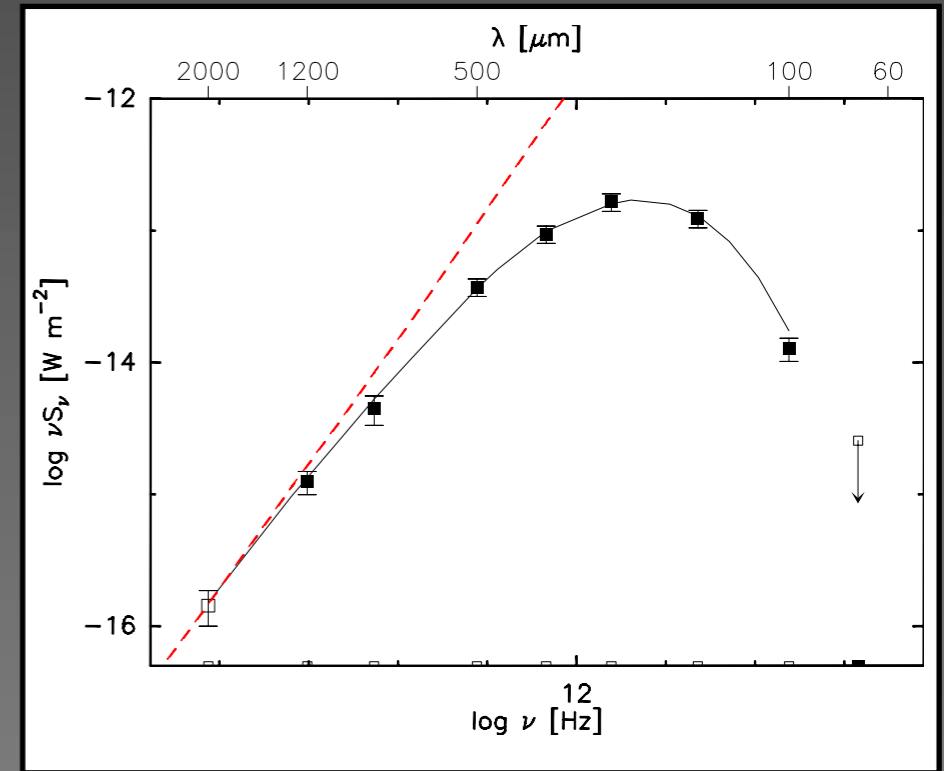
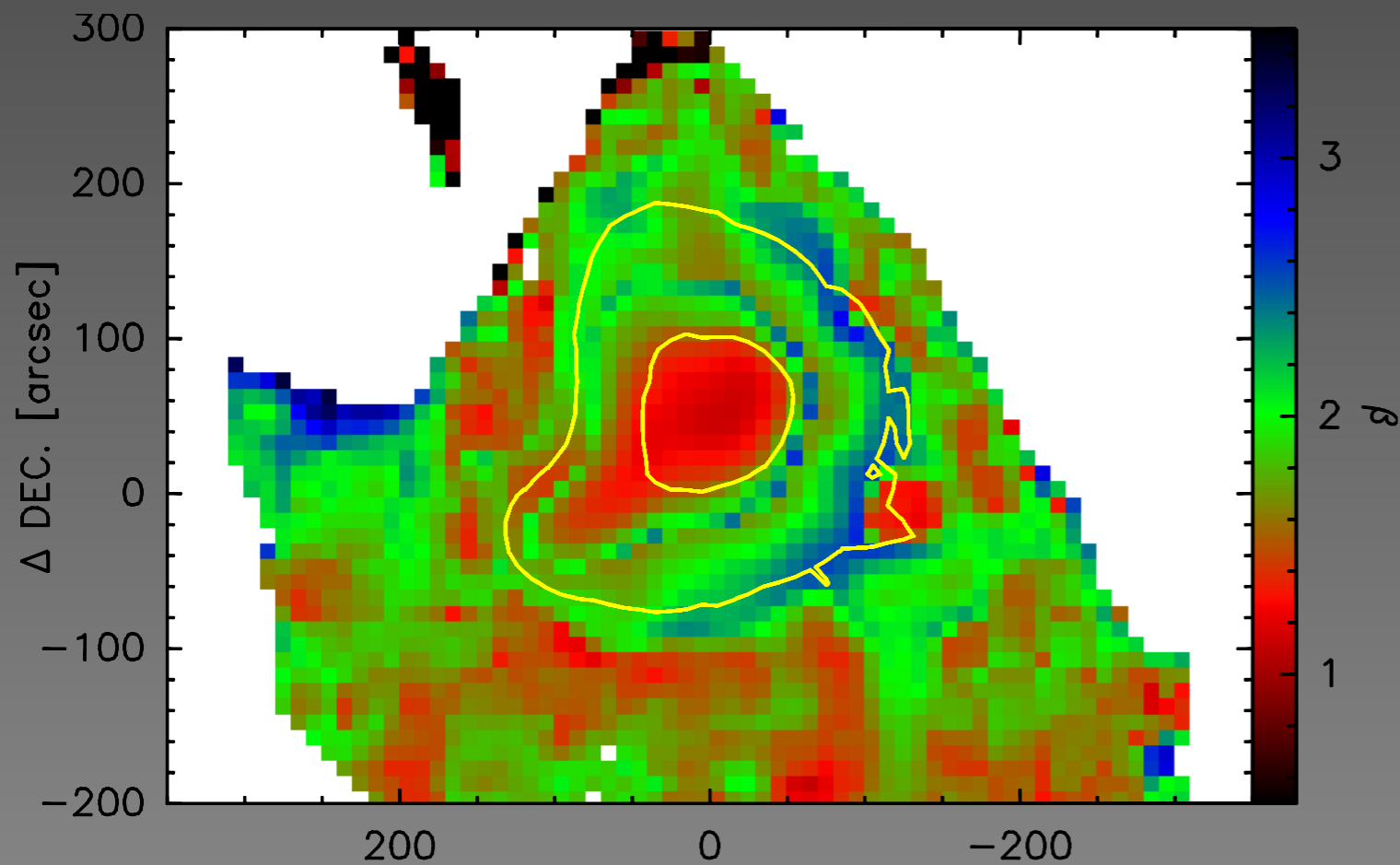
OH: Ossenkopf & Henning 1994
WD01: Weingartner & Draine 2001
Ormel: Ormel et al 2011

Constraining the dust opacity law - β



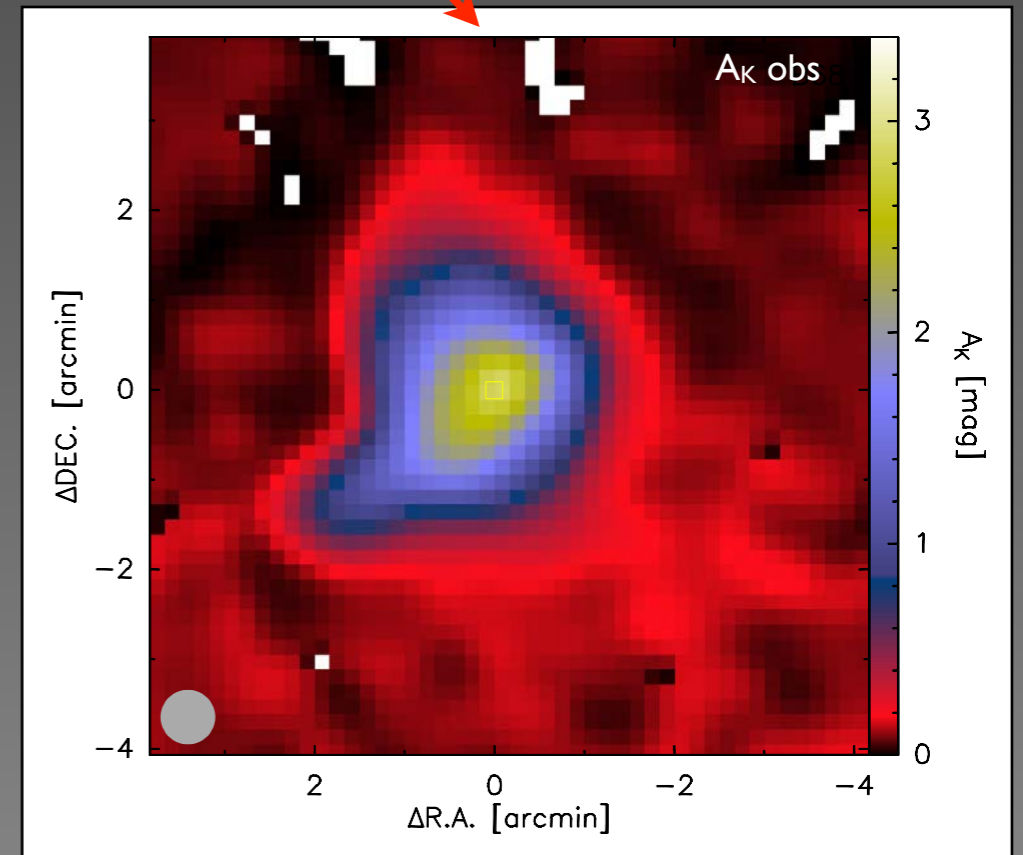
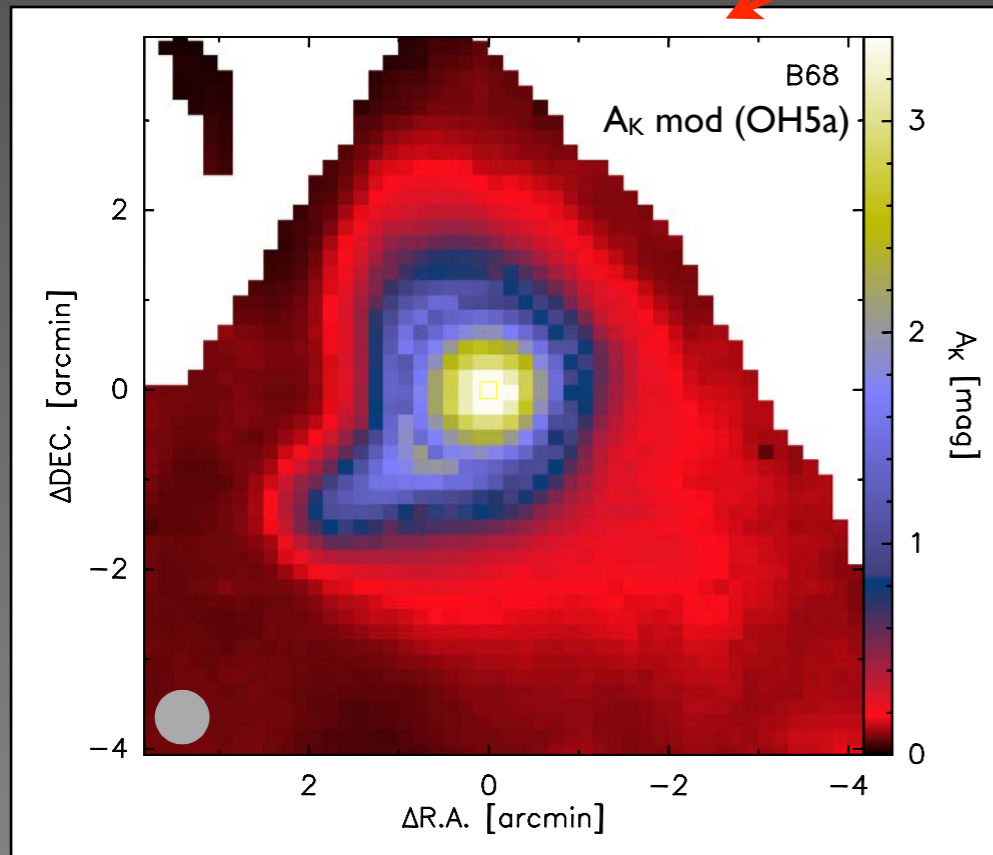
Constraining the dust opacity law - β

Method: Modified BB-fit (χ^2) solving simultaneously for T , N_H , and β



Constraining the dust opacity law - $K_{\text{NIR}}/K_{\text{FIR}}$

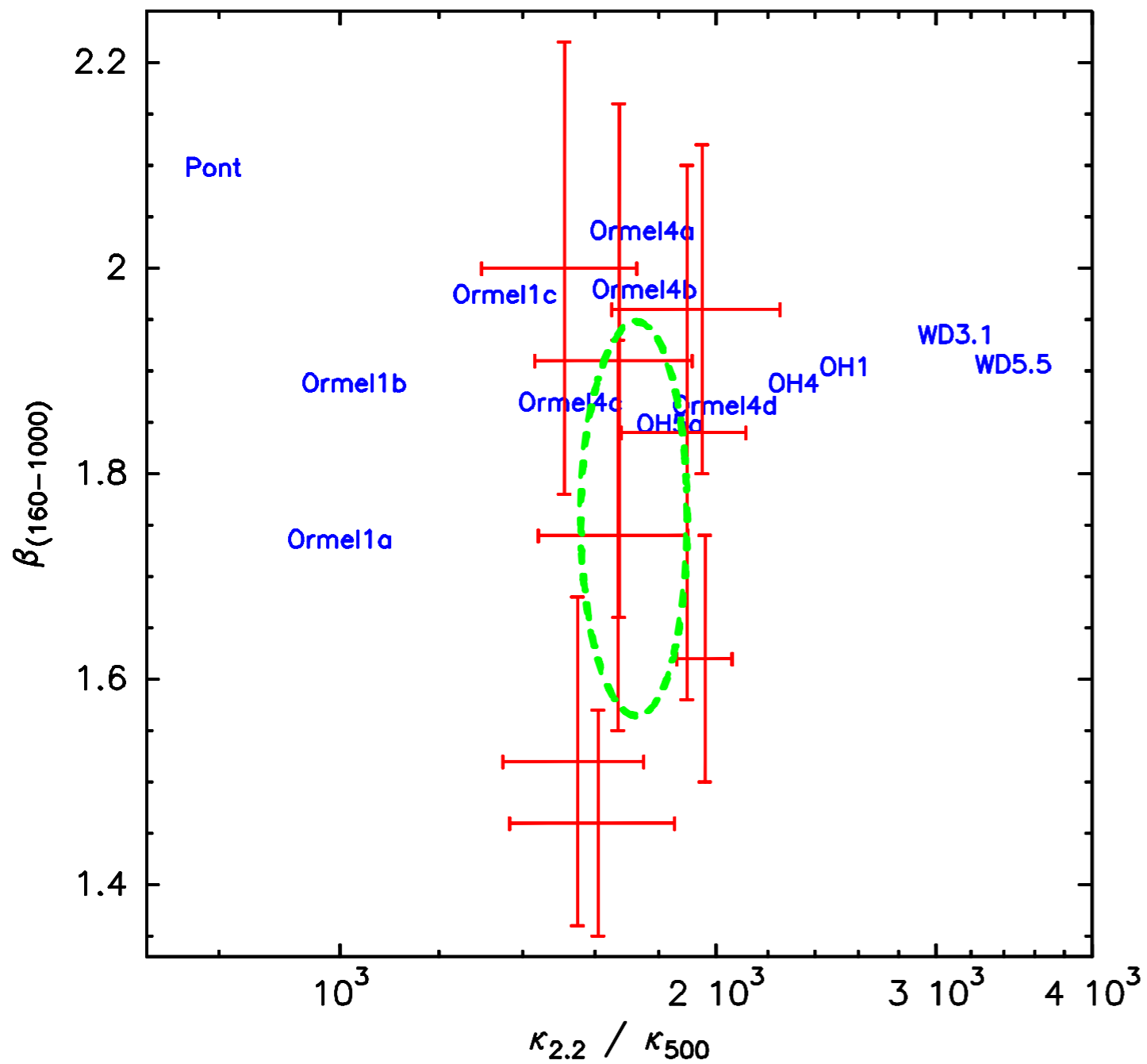
Method: Compare A_K map **predicted** by RT fit to emission data to **observed** A_K map



$$\text{Assume } N_{\text{H}} \propto K_{500\mu\text{m}} \quad \Rightarrow \quad K_{2.2\mu\text{m}}/K_{500\mu\text{m}} = 1900 \pm 200$$

More correct alternative: use density-weighted Planck function (Shirley et al. 2011), but results agree within 10%

Constraining the dust opacity law



- $\kappa_{2.2}/\kappa_{500} = 1730 \pm 170$
- Range of applicable dust models narrowed
- $\beta_{\text{FIR-submm}} = 1.75 \pm 0.2$
- No constraining power (yet)
- => Include more data (SCUBA2, 2mm), improve analysis methods (e.g., Kelly ea. 2012), avoid isothermal approximation, include T-dependance and non-constant β , etc.
- Constraining absolute mass absorption coefficients requires better gas analysis, but there are indications that e.g. OH5 tends to underestimate column densities by factor 2-3

Summary

1. The thermal structure (isolated) molecular cloud cores is dominated by **external heating** from the ISRF.
2. Embedded protostars contribute $\sim 10\text{-}50\%$ to L_{bol} and affect/heat only inner dense core ($< 5000\text{AU}$)
3. **Envelope T_d** (at $N_H \sim 10^{21}\text{cm}^{-2}$) of isolated globules is **$15 \pm 1\text{K}$**
 \Rightarrow consistent with ISRF heating
4. **Internal T_d** of starless cores is **$10 \pm 2\text{K}$**
 \Rightarrow consistent with RT models for 3 sources, higher than predicted for 3 others
5. $K_{2.2}/K_{500}$ ratio for dust opacity models well-constrained (1700 ± 200), β_{FIR} remains uncertain (1.75 ± 0.2) and needs more work and data
6. Thanks to Herschel we can now quantitatively constrain models