

# boloSource()

- Motivation, concept & implementation
- First results
- Perspectives

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# Acknowledgements



**Csaba Kiss (Konkoly)**  
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# Clean maps for analysis of diffuse background



- Extended emission analysis requires clean maps
- Compact objects contribute to the image power spectra with a significant power at a broad range of spatial frequencies:
  - (1) modify the image properties at frequencies comparable to the beam-size
  - (2) depending on the surface density and clustering strength, lower spatial frequencies are contaminated with a smaller power density but typically at large bandwidth
- Image analysis techniques are difficult to compare if sources are not subtracted because their sensitivity to discrete sub-structures may be quite different
  - techniques using sparsity information (i.e. singularity skeleton) could be disturbed by even a few point-sources
  - Techniques analysing full intensity maps are more sensitive to clustering

# Motivation for boloSource()



- For diffuse emission analysis we need a technique to subtract sources what fall within a well defined range of spatial frequencies
- A major requirement: preserve noise properties of the image!

➔ Classical way: try modeling the source intensity  $I_{(x,y)}$  in the position-position space and subtract from the image

➔ ...this is *not easy* but one could reduce the problem to 1D in the detector timeline

- **Subtract sources from the detector timeline and re-project the image**

# Source subtraction on the timeline

- Reduced dimensionality in  $I_{(t)}$  vs.  $I_{(x,y)}$  but noise spectrum in timeline is more complex:

$$I_{(t)} = N_{(t)}^{1/f} + N_{(t)}^D + N_{(t)}^{\text{det}} + I_{(t)}^S$$

$$I_{(x,y)} \cong N_{(x,y)}^{\text{det}} + I_{(x,y)}^S$$

- Lower S/N in L1 timeline than in L2 reconstructed map
- Looks difficult* but we mainly interested in to subtract high-frequency components. **In the masked part of the timeline one could interpolate with simulated noise plus sky background:**

Interpolated intensity in masked timeline  $\longrightarrow$

$$I_{(t)} = \underbrace{N_{(t)}^{1/f} + N_{(t)}^D + N_{(t)}^{\text{det}}}_{\text{Simulated noise}} + \underbrace{I_{(t)}^{S(\text{lowfreq})}}_{\text{Baseline estimate from data}}$$

# Workflow

in HIPE

external

*getsources*  
(position  
and size)

Project the  
map

**boloSource()**

Interpolate  
with  
simulated  
noise

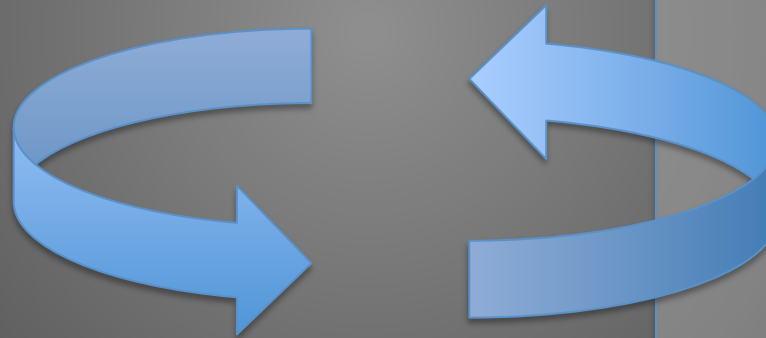
Optimize L1  
mask  
location and  
size

Decompose  
frequency  
components  
and simulate  
noise

Create a L2  
source mask

2<sup>nd</sup> order  
de-glitching

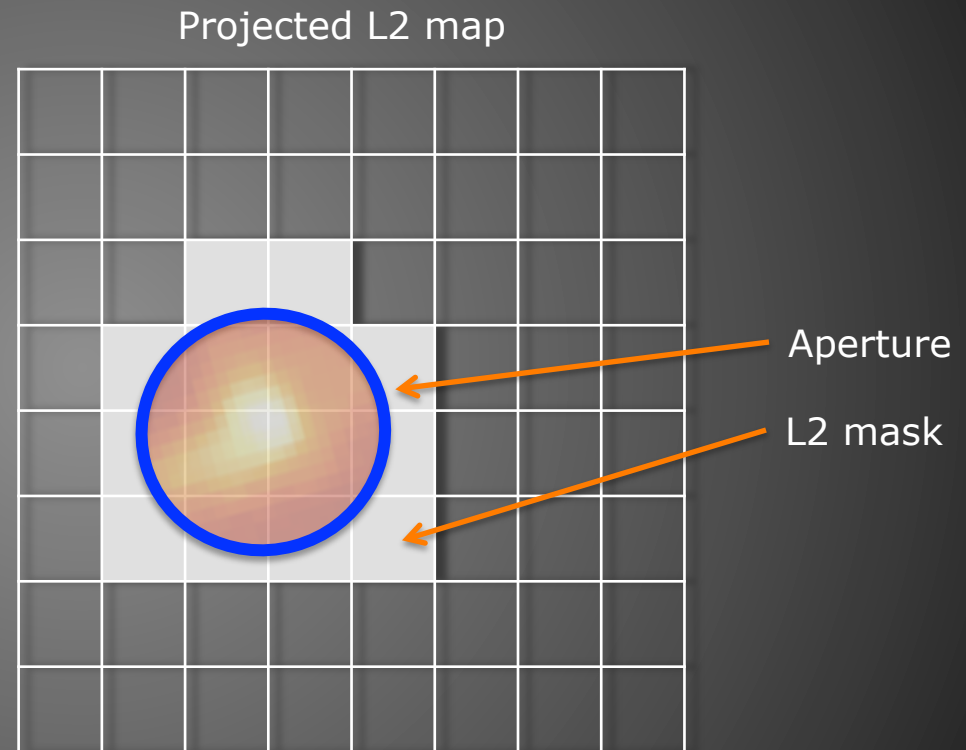
Back-project  
source mask  
to L1  
timeline



# L2 mask

Create a L2  
source mask

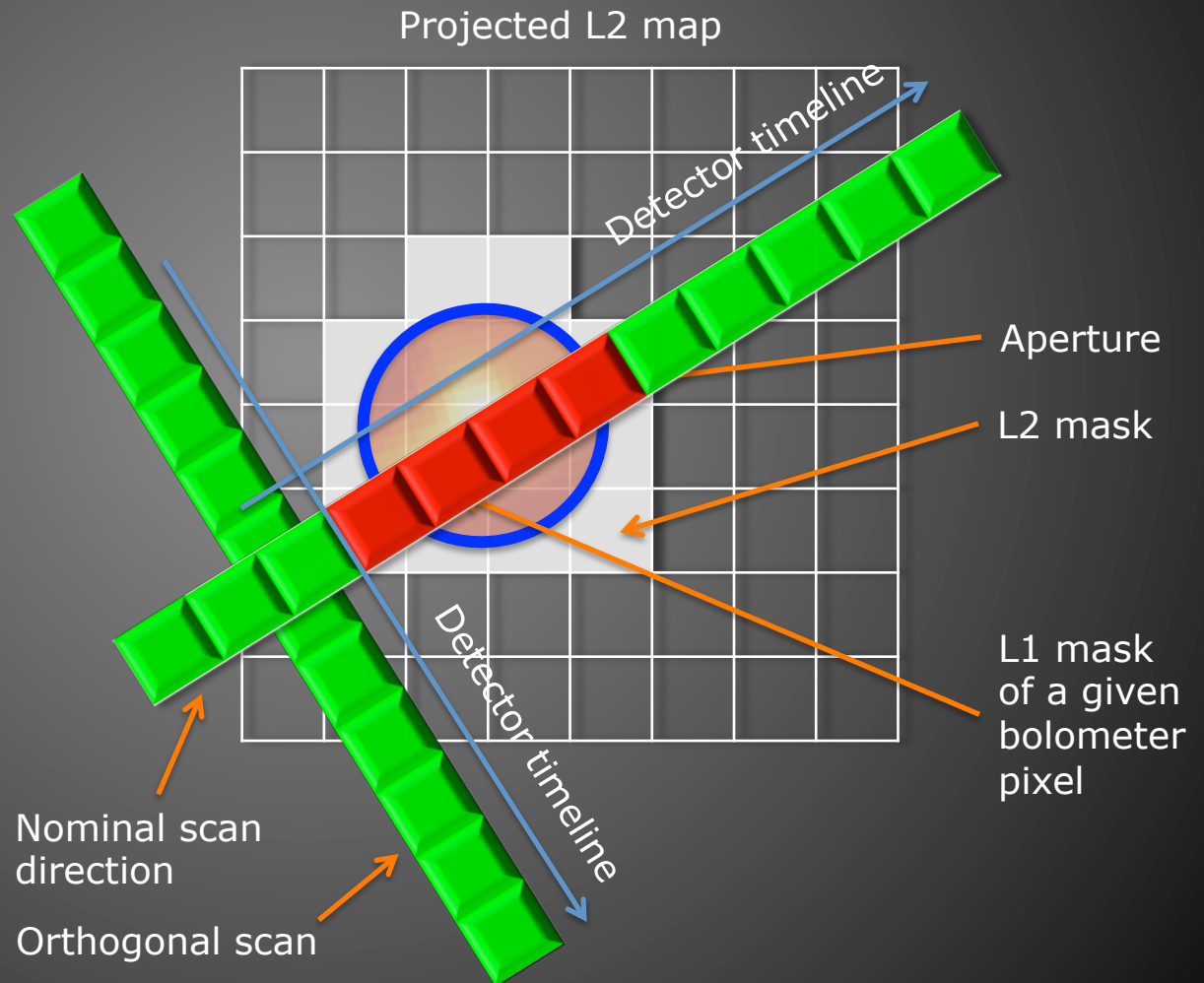
- Get source centroid & size from getsources
- Create a L2 mask for circular aperture
- Aperture radius defines the cutoff frequency



# L1 mask

Back-project  
source mask  
to L1  
timeline

- Get source centroid & size from getsources
- Create a L2 mask for circular aperture
- Aperture radius defines the cutoff frequency
- Backproject L2(x,y) mask to L1(t) timeline mask
- L1 mask size depends on L2 aperture size **AND** scan-speed



# Signal decomposition



Decompose  
frequency  
components  
and simulate  
noise

## Stationary wavelet transform SWT (à trous algorithm)

- Wavelet coefficients contains the same number of samples as input signal (redundant representation similar to CWT)
- Inverse transform is trivial and provide full control over frequency components
- Residual signal conserves flux
- Filter width scales with power of 2
- Similar performance (in speed) to DWT algorithms

# Baseline estimation

Decompose  
frequency  
components  
and simulate  
noise

- Take L2 mask size (i.e. effective diameter of input mask aperture) for a given source, this determines the high-frequency cutoff for the baseline estimate on the L1 timeline (Note, the L1 adaptive mask size cannot be used as it requires a priori baseline estimate!)
- Decompose signal with SWT
- Flag high-frequency outliers above a given sigma level on the entire scan leg
- Interpolate flagged outliers with baseline estimate
- Solve inverse transform, reproduce intensities
- Create output products:
  - Baseline
  - Noise dataset
  - Outlier mask

Iterate until  
outliers disappear

Interpolated intensity  
in masked timeline

$$\longrightarrow I_{(t)} = \underbrace{N_{(t)}^{1/f} + N_{(t)}^D + N_{(t)}^{\det}}_{\text{Simulated noise}} + \underbrace{I_{(t)}^{S(\text{lowfreq})}}_{\text{Baseline estimate from data}}$$

Simulated noise

Baseline estimate from data

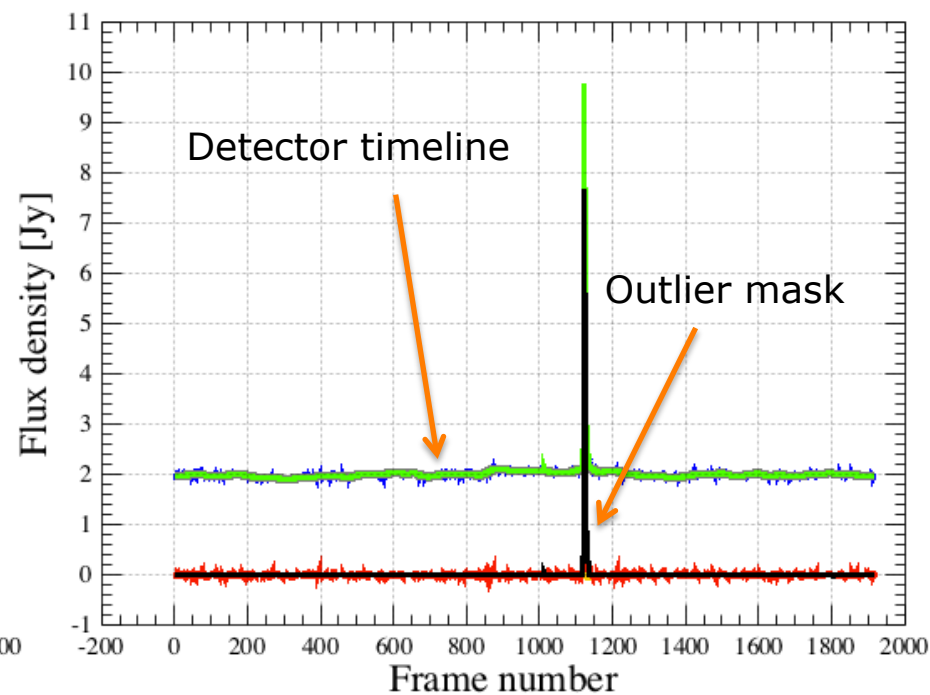
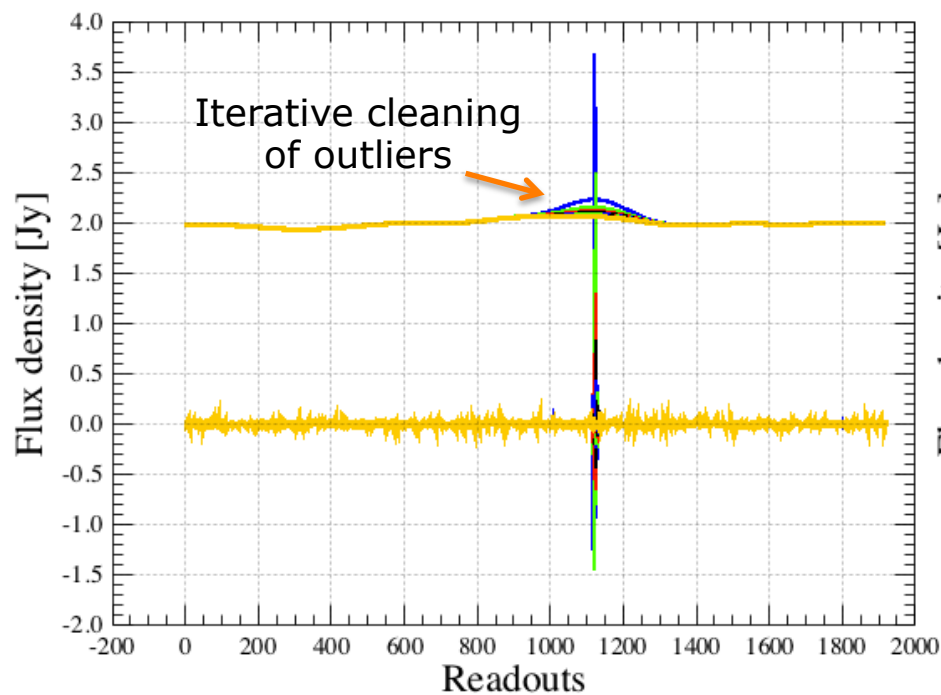
# Baseline estimation

Decompose  
frequency  
components  
and simulate  
noise

Herschel PlotXY

photBaselineEstimator

Sigma: [3.0] Param1: [7] Param2: [2] Param3: [4]



Left: Last iteration residual noise	Left: Last iteration continuum	Right: flux	Right: baseWave
Right: flux-baseWave	Right: noise-baseWave	Right: noiseNoLines-baseWave	Right: flux-noiseNoLines
Right: flux-noiseNoLines-baseWave			

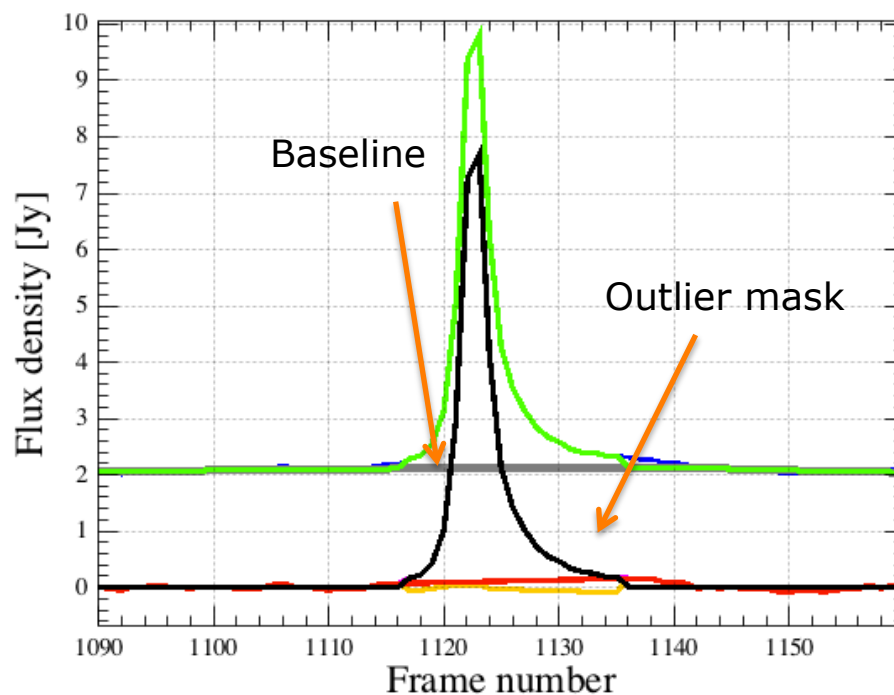
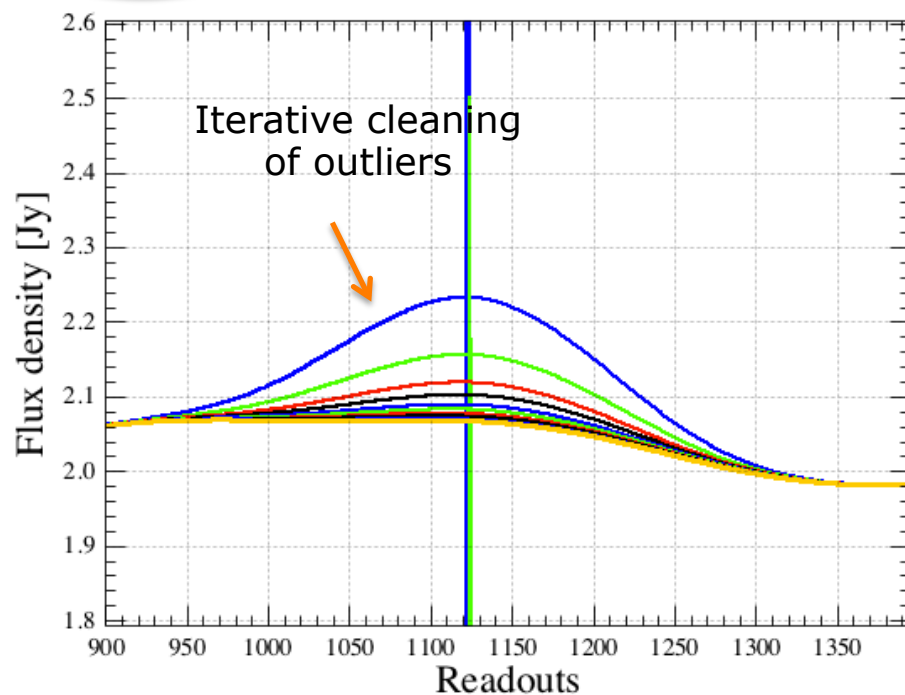
# Baseline estimation

Decompose  
frequency  
components  
and simulate  
noise

Herschel PlotXY

photBaselineEstimator

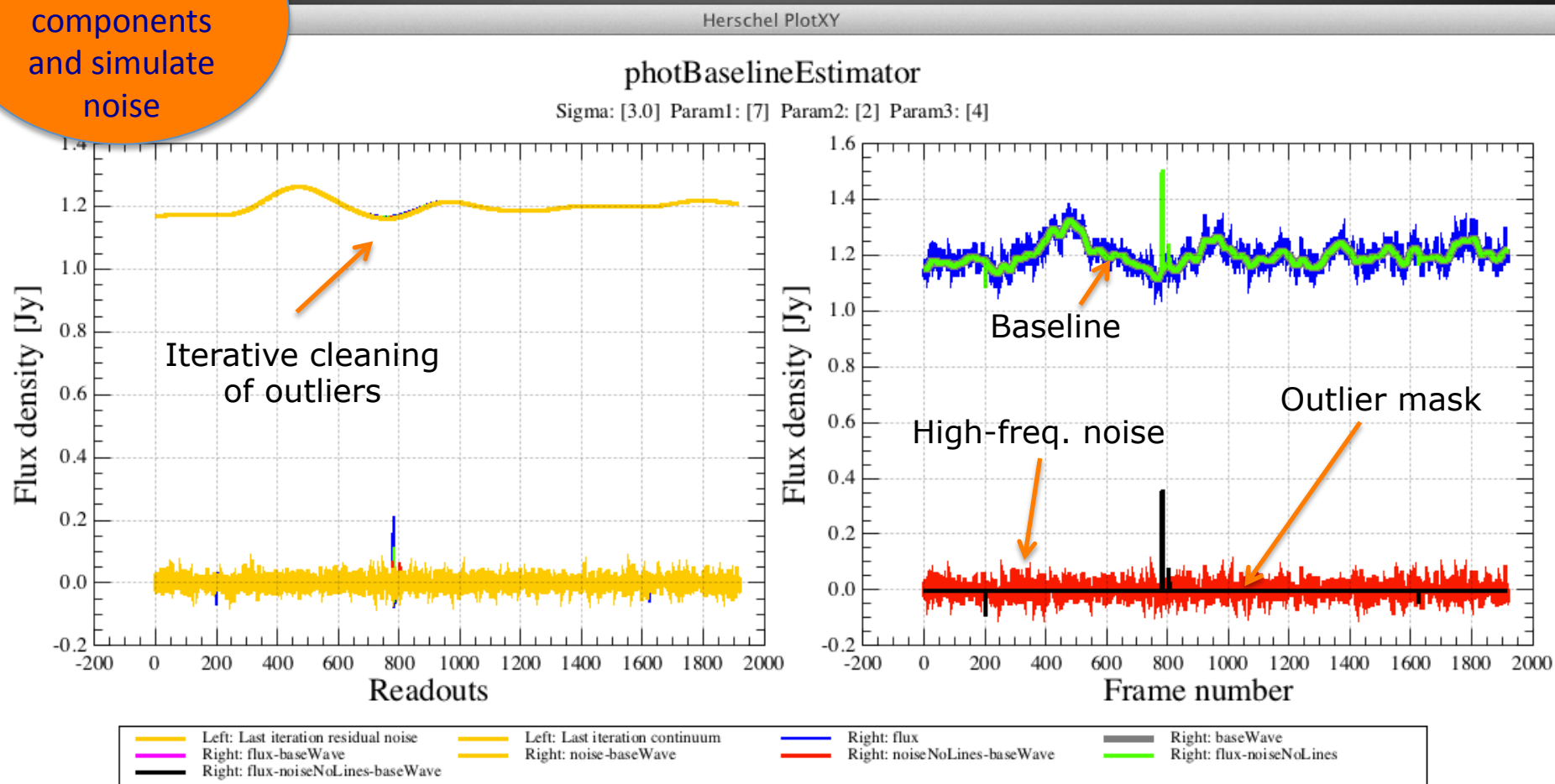
Sigma: [3.0] Param1: [7] Param2: [2] Param3: [4]



Left: Last iteration residual noise	Left: Last iteration continuum	Right: flux	Right: baseWave
Right: flux-baseWave	Right: noise-baseWave	Right: noiseNoLines-baseWave	Right: flux-noiseNoLines
Right: flux-noiseNoLines-baseWave			

# Baseline estimation

Decompose  
frequency  
components  
and simulate  
noise



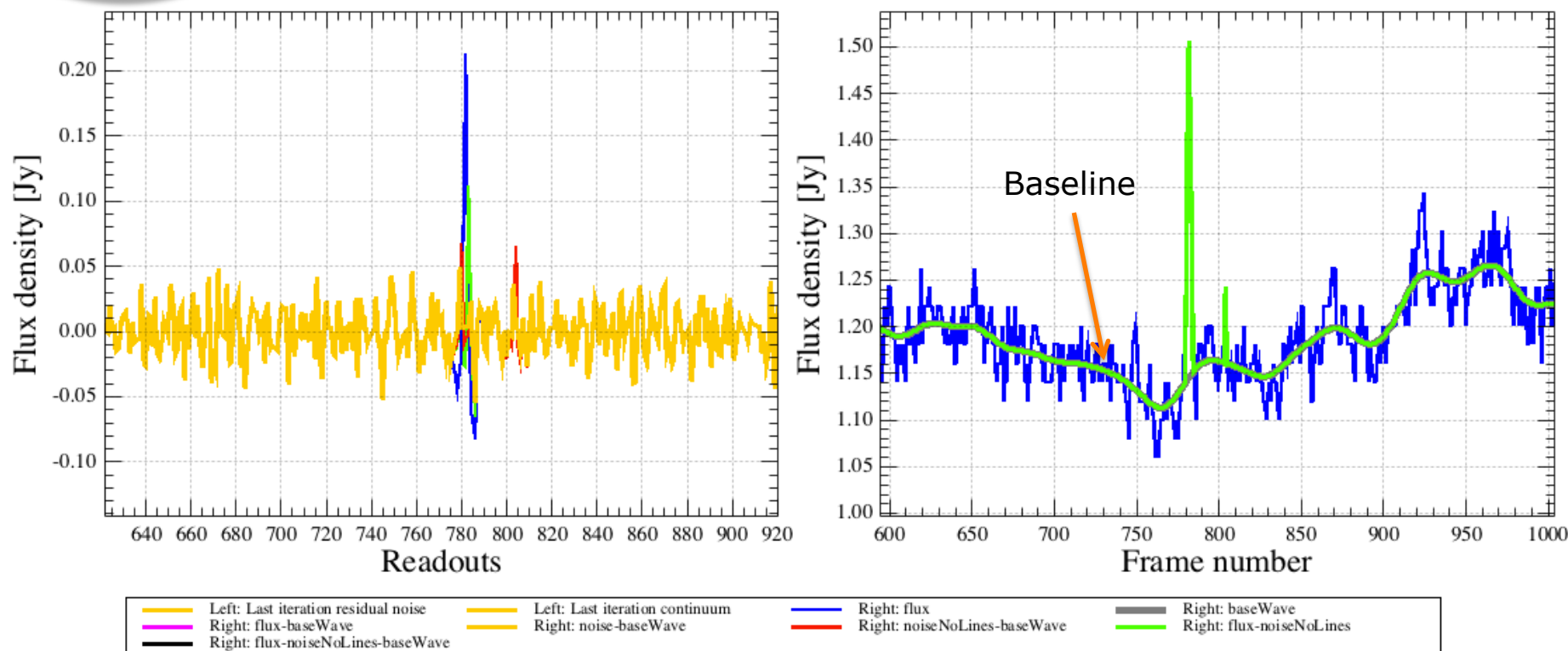
# Baseline estimation

Decompose  
frequency  
components  
and simulate  
noise

Herschel PlotXY

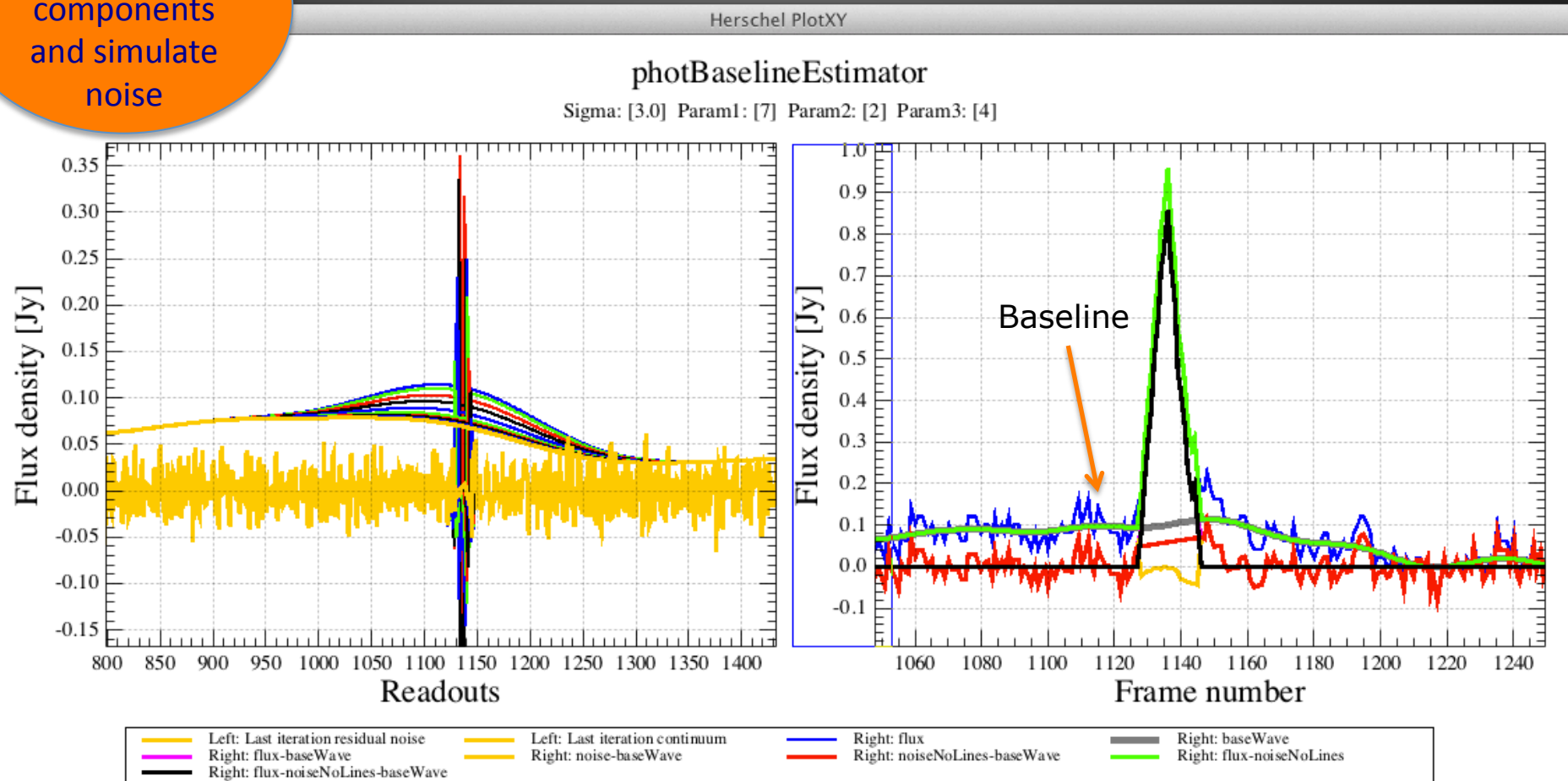
photBaselineEstimator

Sigma: [3.0] Param1: [7] Param2: [2] Param3: [4]



# Baseline estimation

Decompose  
frequency  
components  
and simulate  
noise



# Noise simulation

Decompose  
frequency  
components  
and simulate  
noise

- The objective is to simulate intensity distribution of a single scan-leg with similar noise power spectrum as we experience in the observed data.
- In small sections of the timeline the noise is considered being stationary
- Non-parametric Monte-Carlo simulation in the wavelet space:
  - Measure STDDEV of outlier filtered wavelet coeffs after last iteration
  - Get random noise and scale each wavelet frequency coefficients to the measured STDDEV
  - The inverse wavelet-transform of coefficients at frequencies equal and higher than the mask size gives the noise simulation

Interpolated intensity  
in masked timeline

$$I_{(t)} = \underbrace{N_{(t)}^{1/f} + N_{(t)}^D + N_{(t)}^{\det}}_{\text{Simulated noise}} + \underbrace{I_{(t)}^{S(\text{lowfreq})}}_{\text{Baseline estimate from data}}$$

Simulated noise

Baseline estimate from data

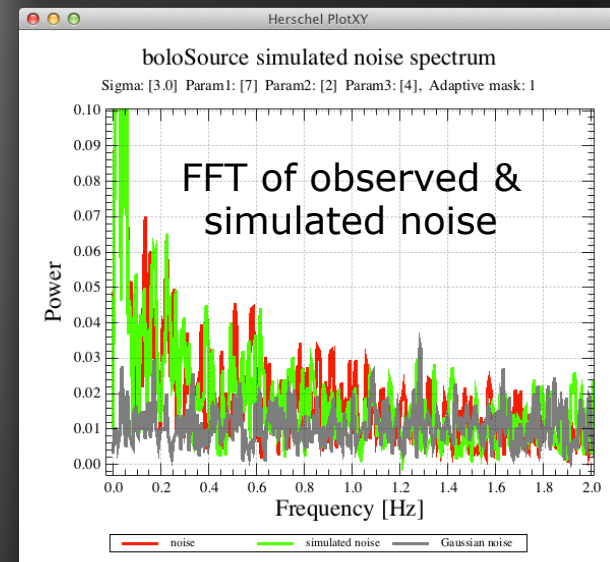
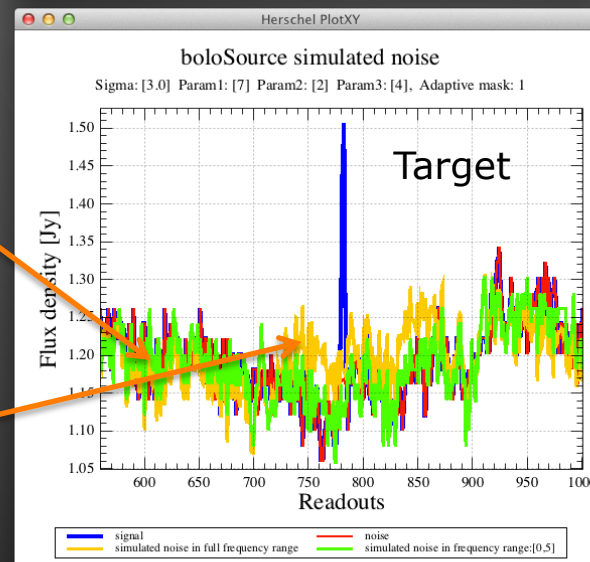
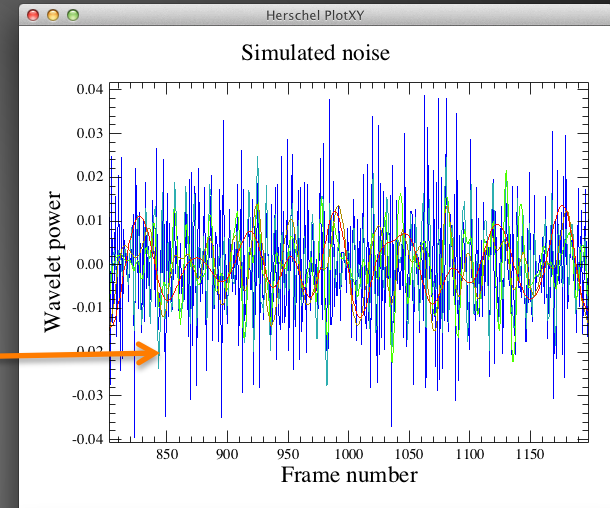
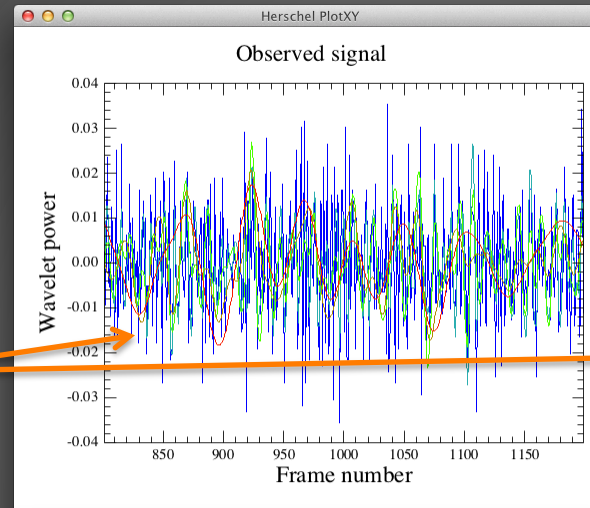
# Noise simulation

Decompose  
frequency  
components  
and simulate  
noise

Wavelet coeffs.  
Identical STDDEV  
for observed and  
simulated cubes

**Green:** simulated  
noise adjusted to  
the source cutoff-  
frequency

**Yellow:** simulated  
noise including all  
frequency  
components



# Timeline interpolation

Optimize L1  
mask  
location and  
size

Interpolate  
with  
simulated  
noise

- Optimize L1 mask size and location through the **adaptive mask** option:
  - Extend the L1 mask to 2x larger working mask and find a maximum:
    - defined by the baseline estimator outlier mask (this is the only criteria if the “autodetect” option is active)
    - or if outlier mask is empty within the working mask then try to find local peak of at least 3 readouts broad (for faint features)
  - Find the 1<sup>st</sup> and last readouts below the baseline around the peak
  - This section defines the final adaptive L1 mask
- Take the **previously identified baseline and add simulated noise** components beyond the cutoff frequency within the section of L1 adaptive mask
- Do **bit-rounding** (2-bit < OD 1005 and 1-bit > OD 1005)

# Timeline interpolation

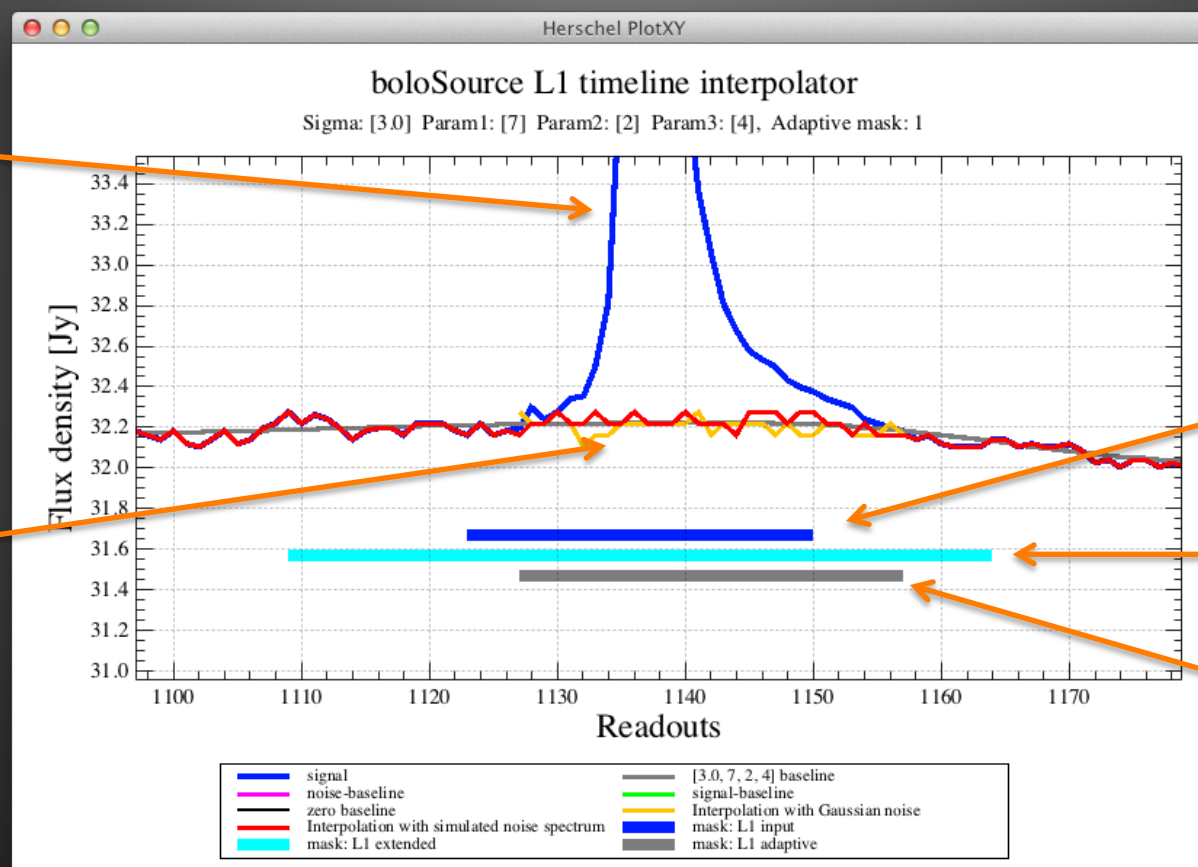
Optimize L1  
mask  
location and  
size

Interpolate  
with  
simulated  
noise

L0 bolometer timeline example (red band, pixel [8,8])

L1 bolometer  
signal in the  
timeline

Interpolated  
signal



Back-projected  
input mask

Intermediate  
working mask

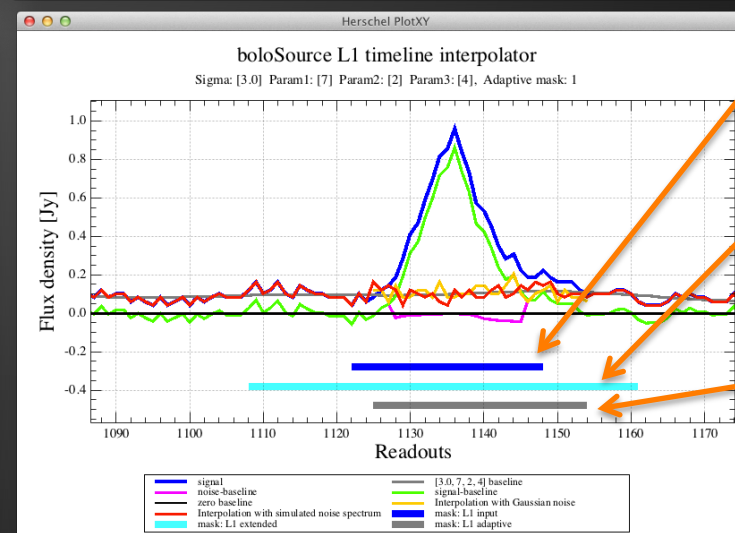
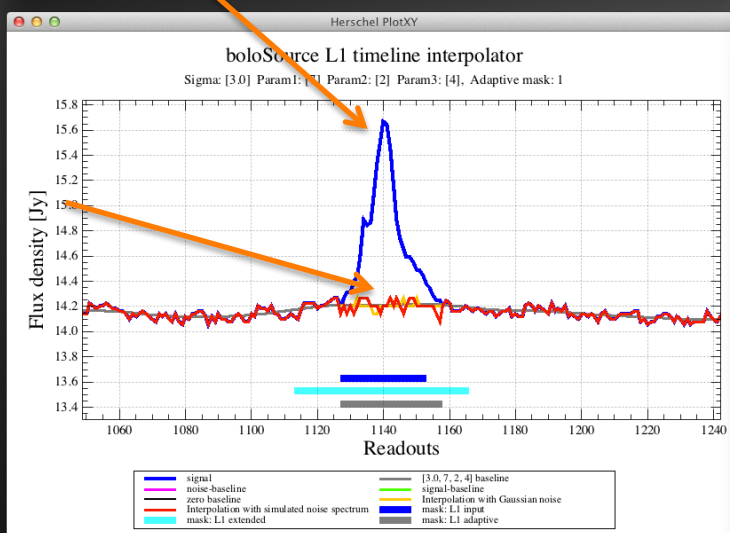
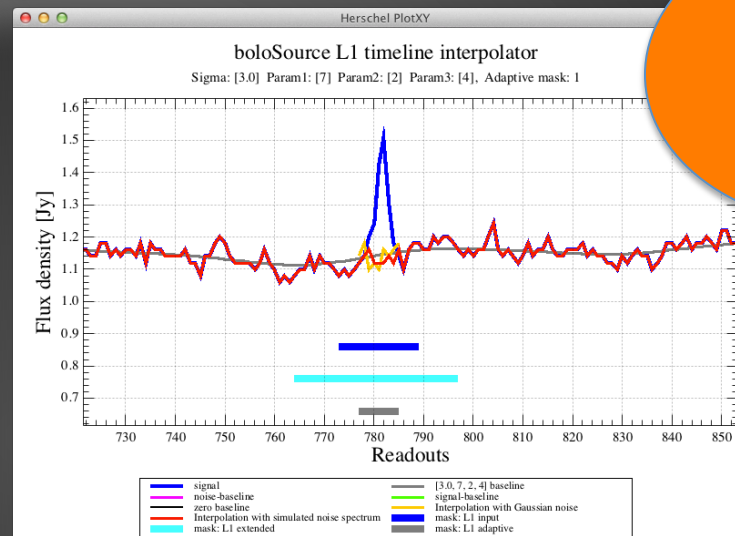
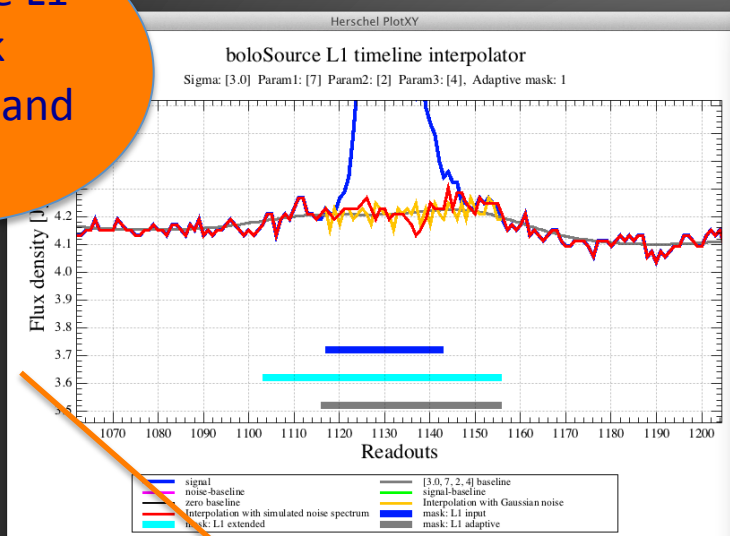
Optimized adaptive  
mask

# Timeline interpolation

Optimize L1  
mask  
location and  
size

Interpolate  
with  
simulated  
noise

L1  
bolometer  
signal in  
the timeline



Interpolated  
signal

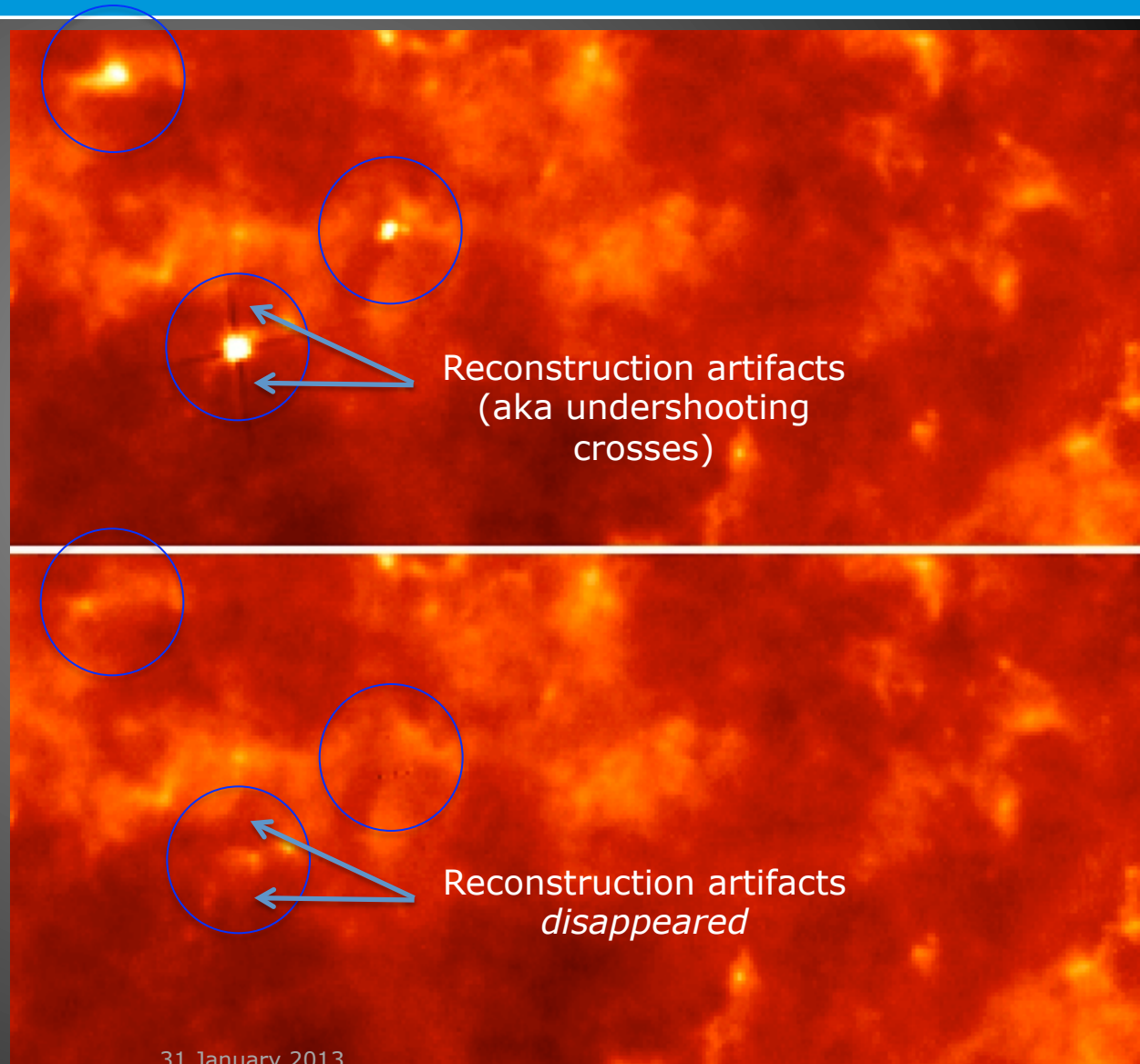
Back-projected  
input mask

Intermediate  
working mask

Optimized  
adaptive mask

# First run of boloSource()

- First run of boloSource (Hi-GAL  $l=297^\circ$ )
- Background is quite well preserved
- By product: MadMap reconstruction noise (undershooting artifacts) could be eliminated
- For the analysis of extended emission there is no strict need for other cleaning techniques (L. Piazzo et al. in prep.)



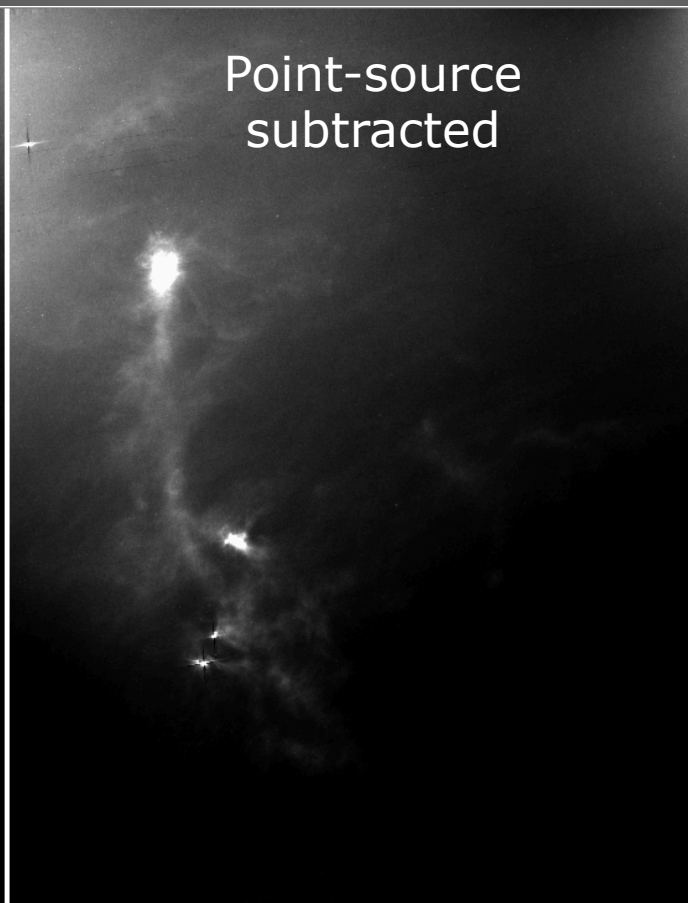
# Chamaeleon-I

MadMap reduction

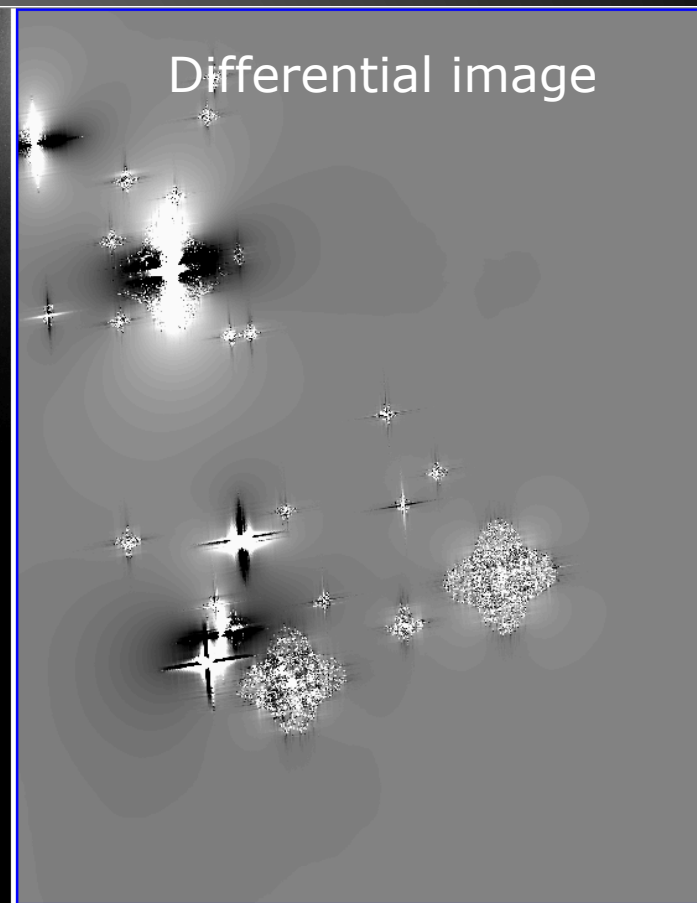
Original map



Point-source  
subtracted



Differential image



-0.0015

-0.001

-0.0005

0

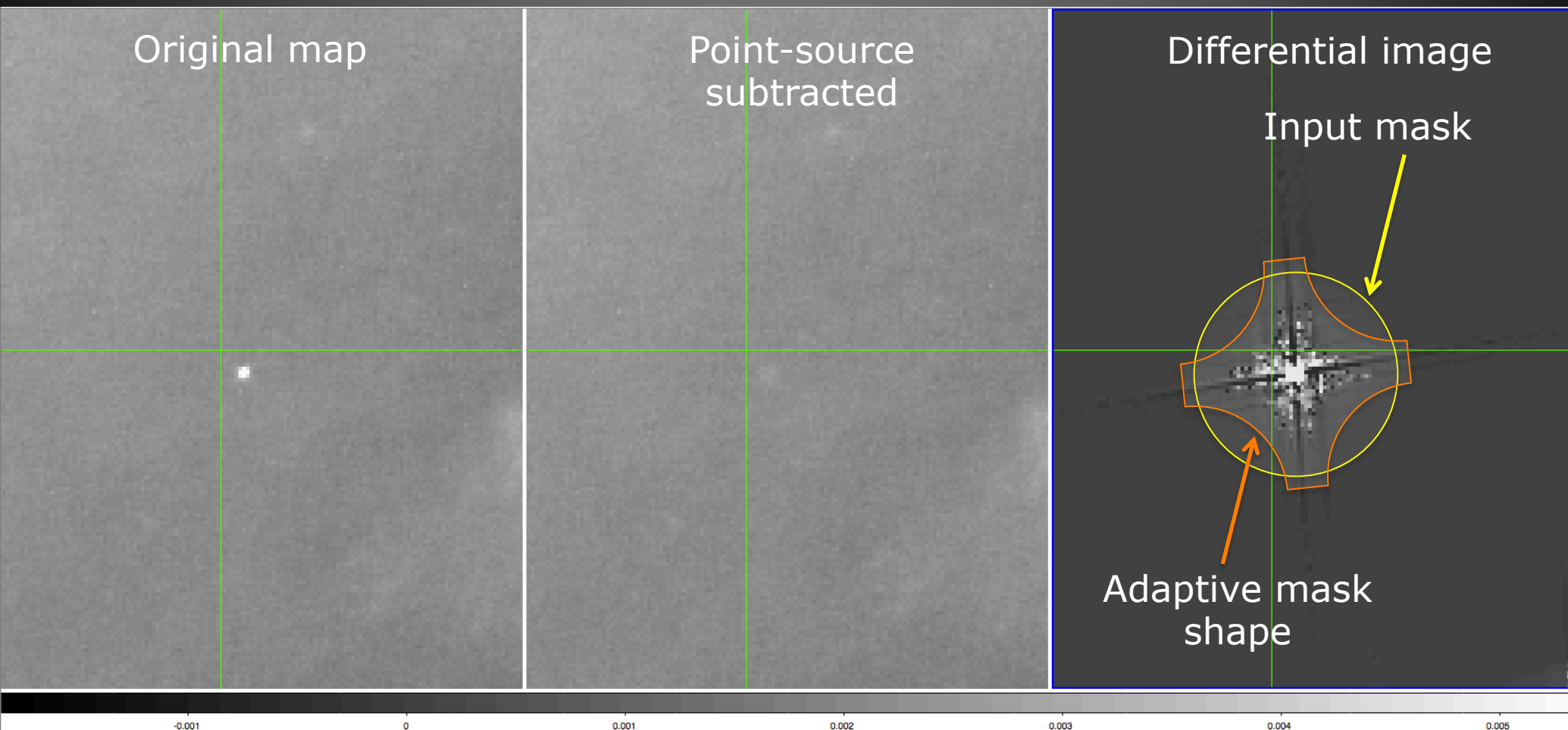
0.0005

0.001

0.0015

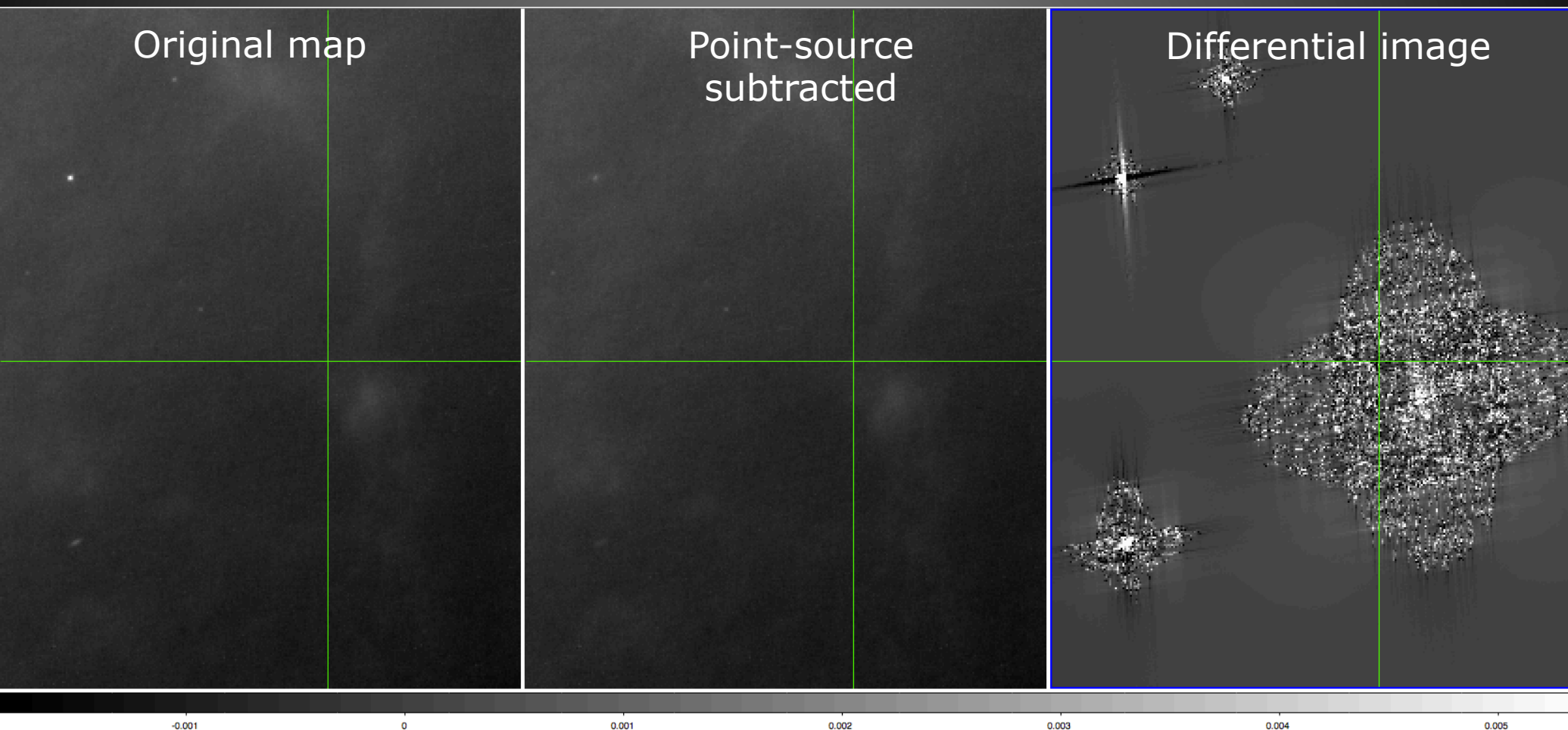
# Chamaeleon-I

## MadMap reduction



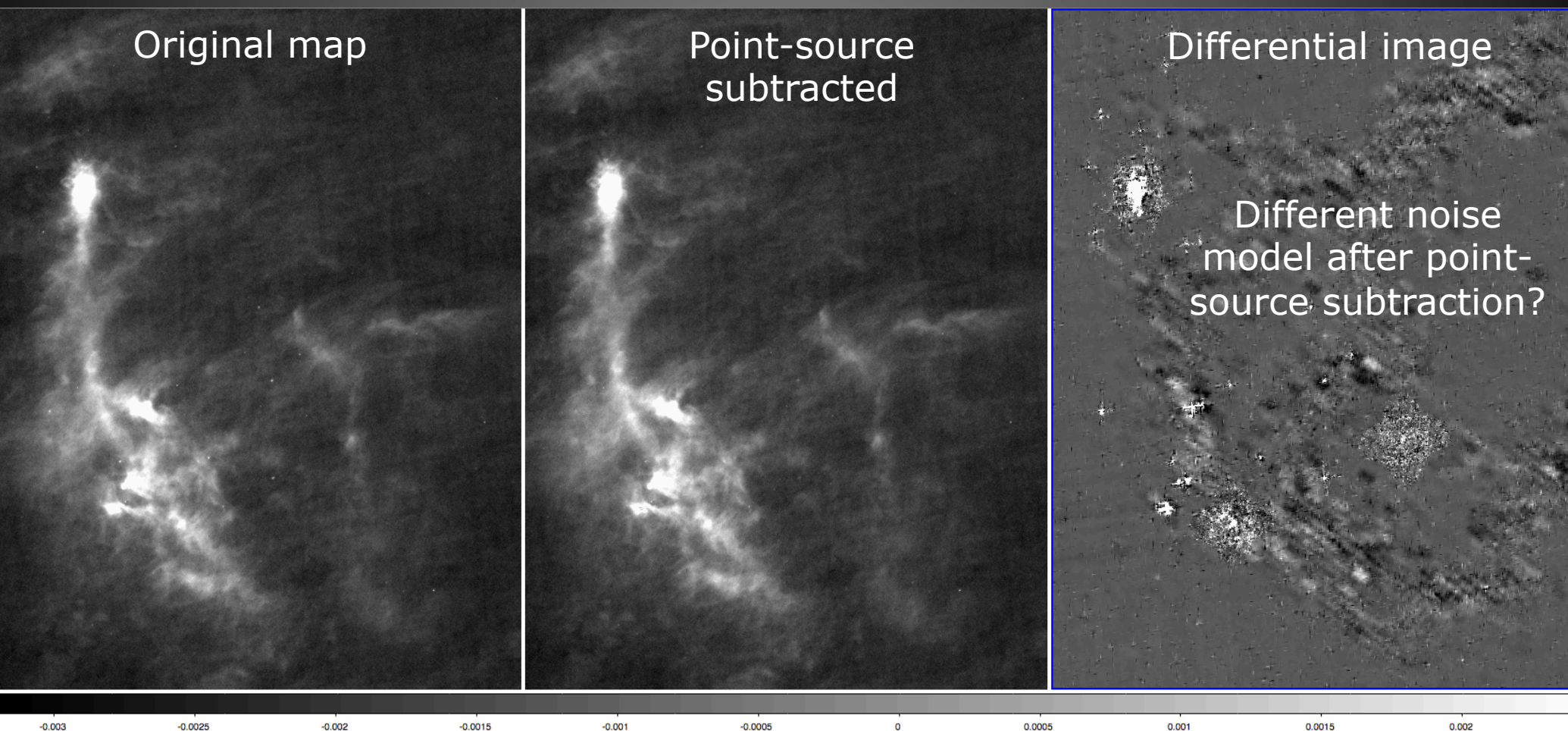
# Chamaeleon-I

MadMap reduction



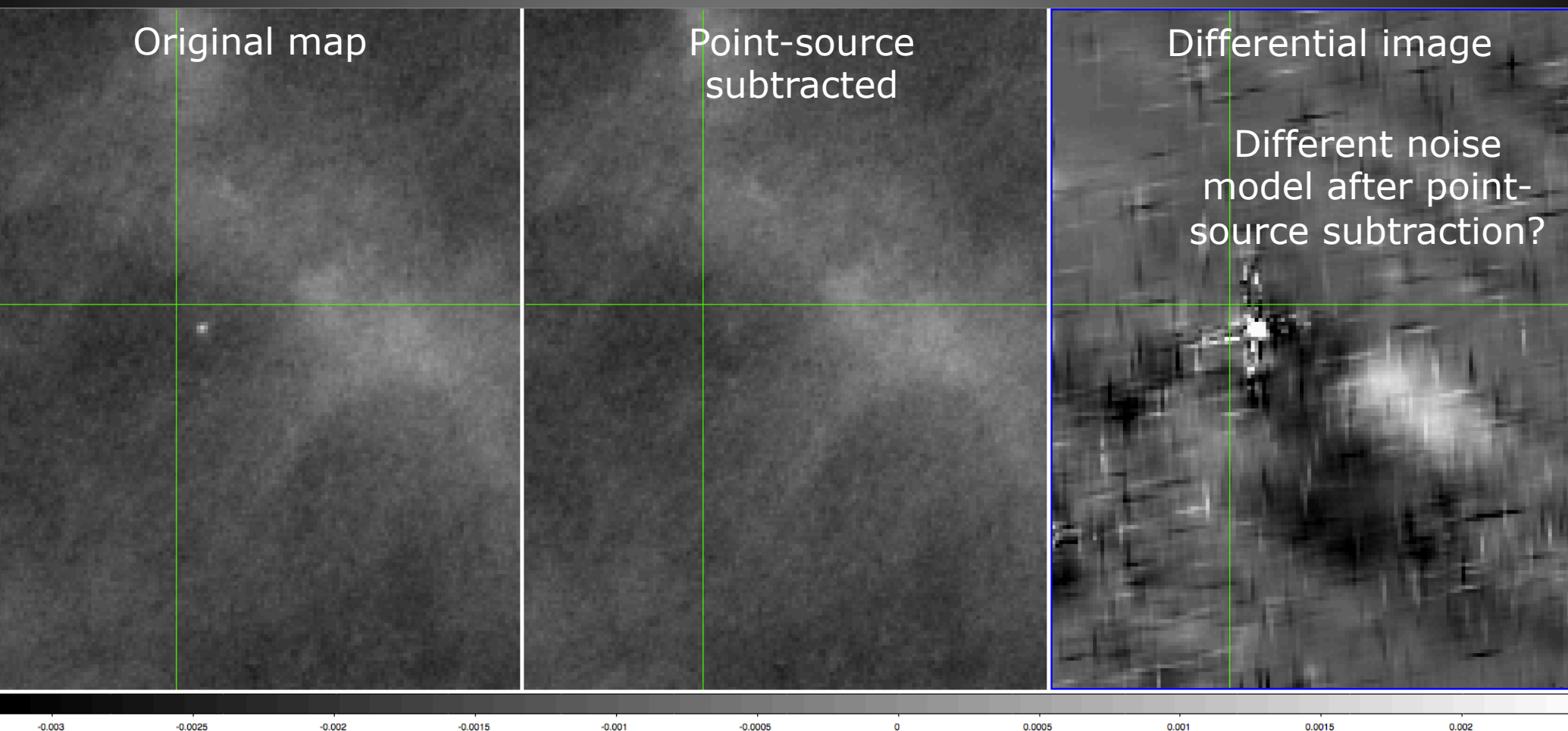
# Chamaeleon-I

## Scanamorphos reduction



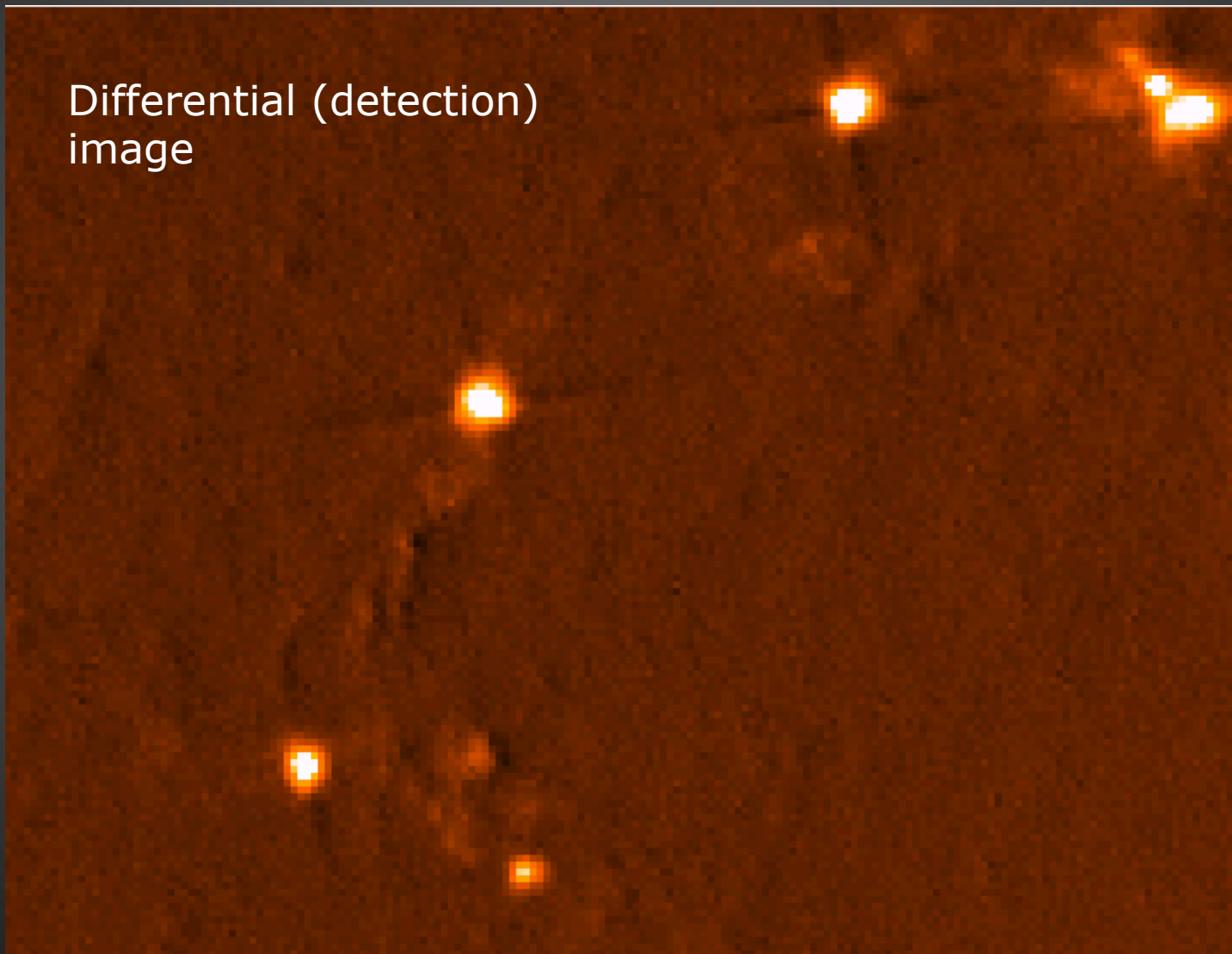
# Chamaeleon-I

## Scanamorphos reduction



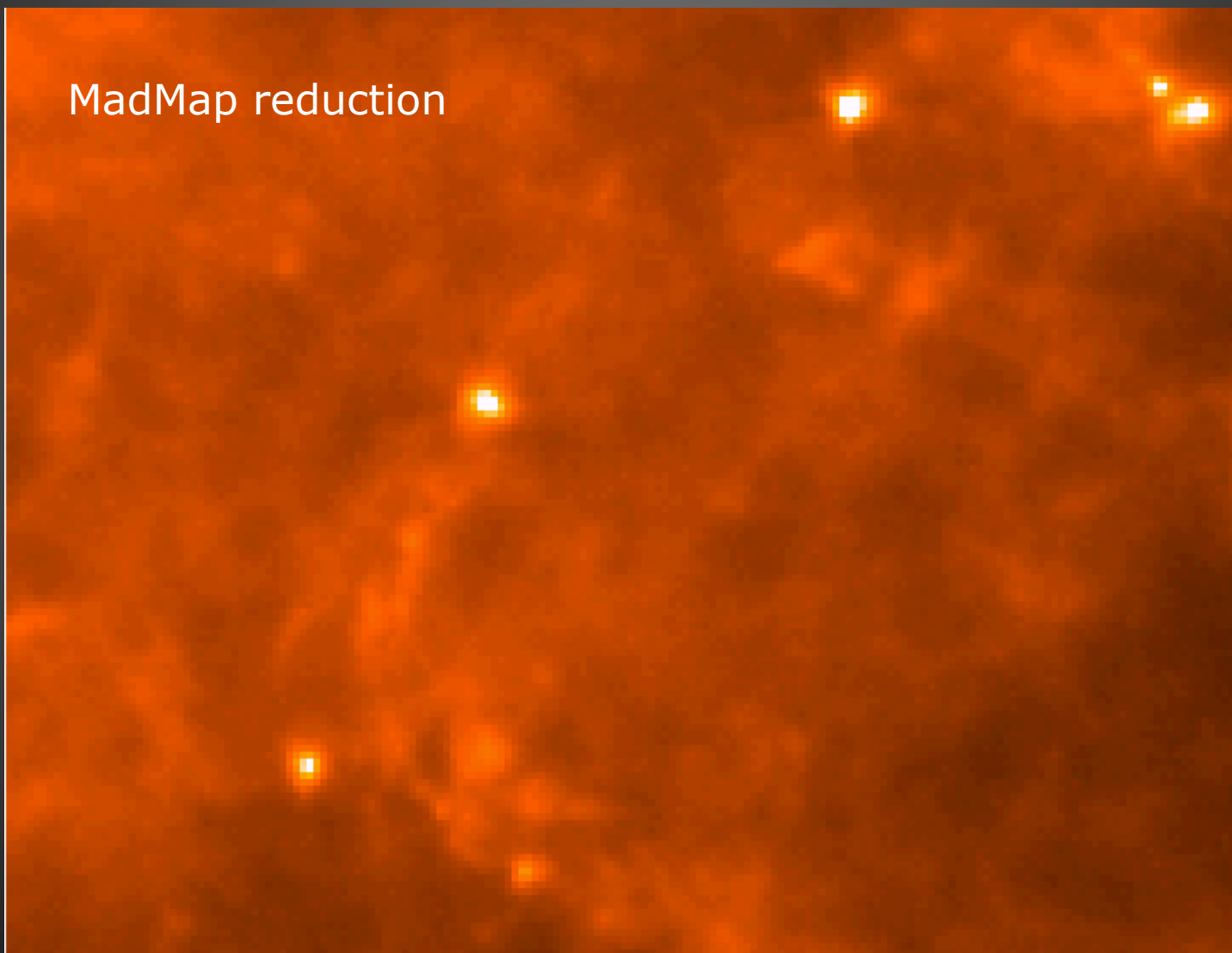
# Hi-GAL $l=297^\circ$

Differential (detection)  
image



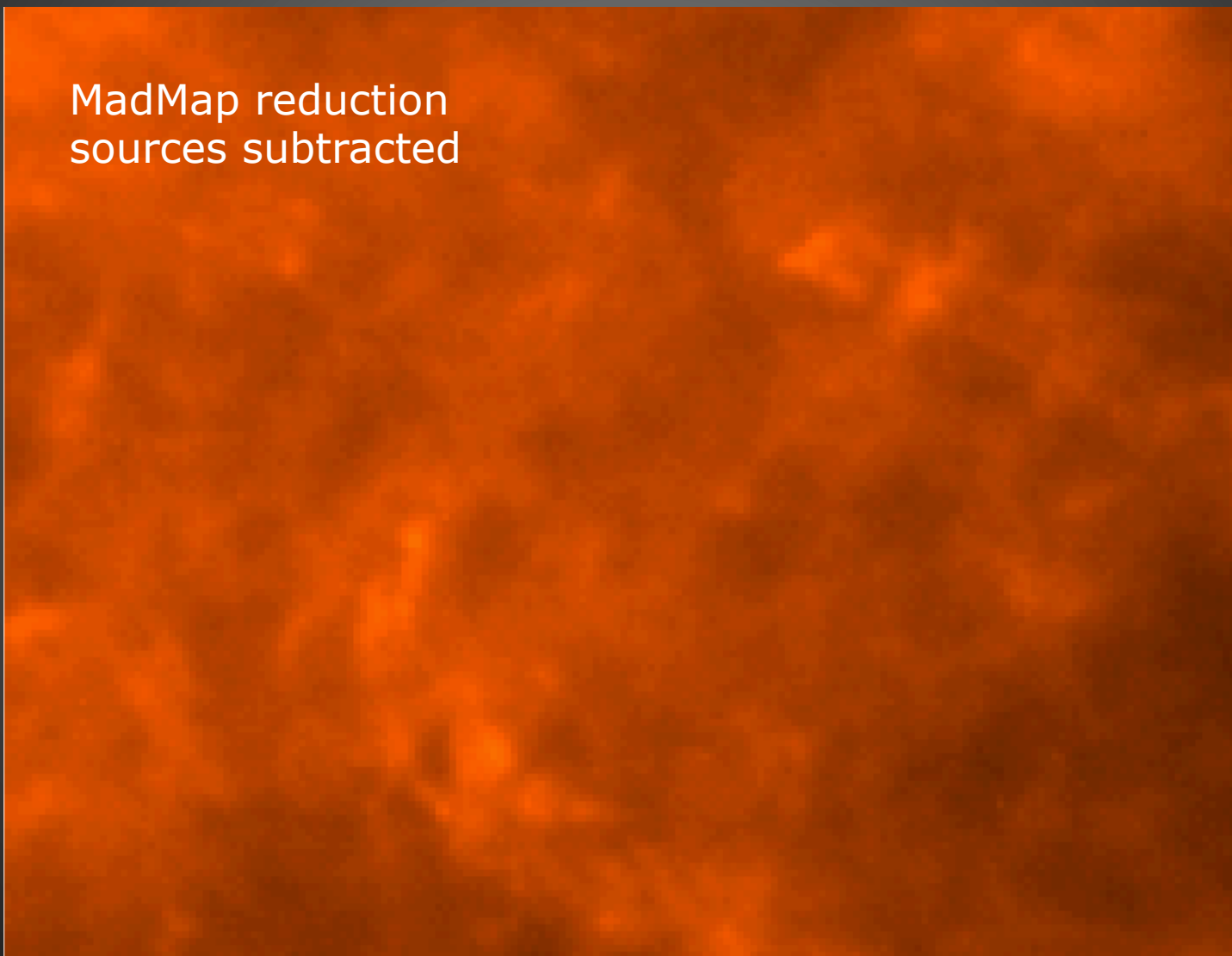
# Hi-GAL $l=297^\circ$

MadMap reduction



# Hi-GAL $l=297^\circ$

MadMap reduction  
sources subtracted

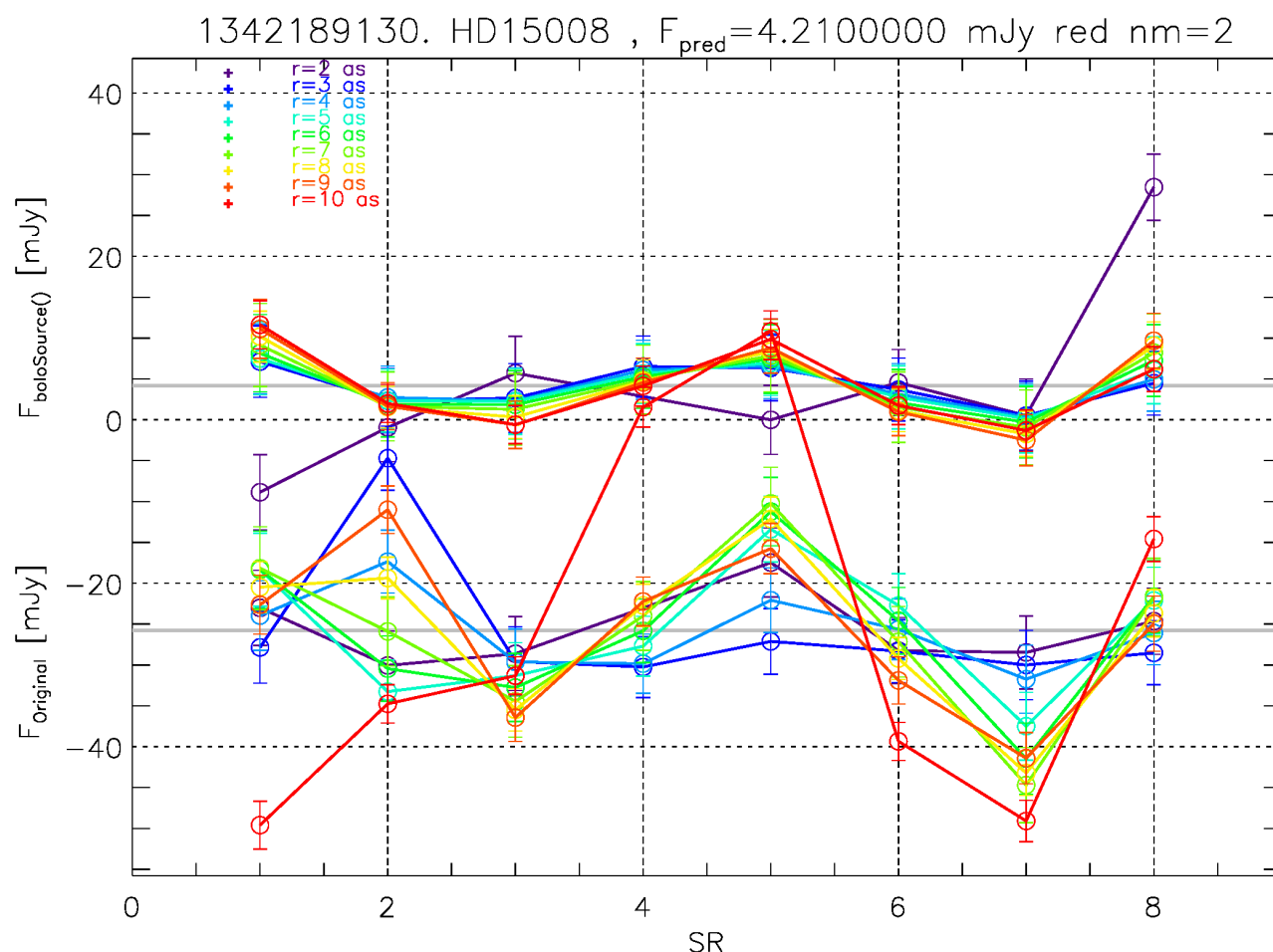


# Point-source photometry

Early results on a 160  $\mu\text{m}$   
faint source  
(G. Marton)

`boloSource()` uncertainty  
compared with aperture  
photometry on HPF  
+photProject map

1 observation with 9  
repetition, photometry is  
done on maps combined  
of 2 repetitions pairs



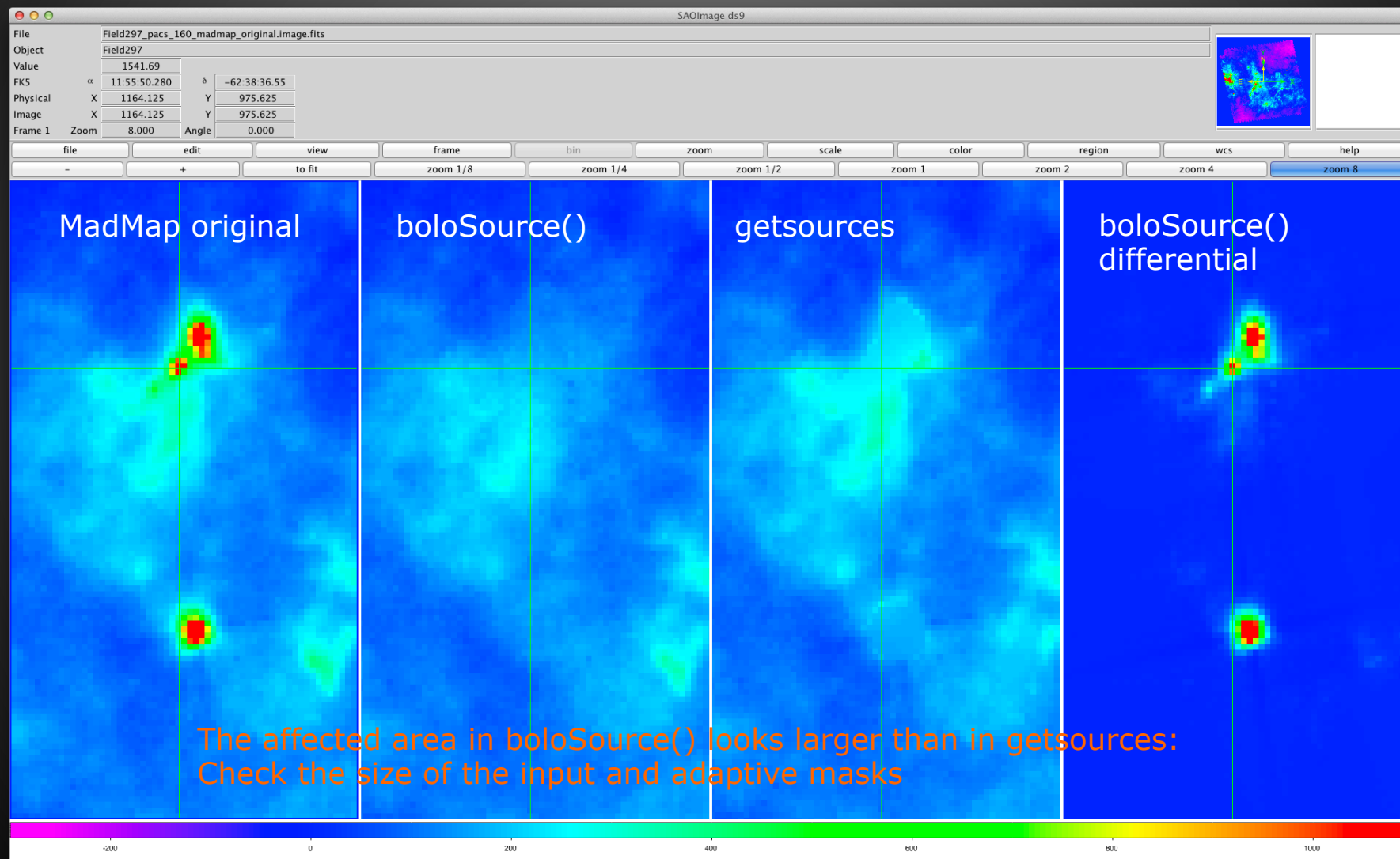
# Techs

- `boloSource()` input:
  - source list (centroid coordinates)
  - Input L2 mask **OR** source cutoff frequency, i.e. aperture radius (*no range possible in the current version*)
  - PACS OBSID pair
- `boloSource()` output:
  - PACS L1 cubes with interpolated timeline
- Compatible with any projection algorithm what can use PACS L1 frames cube structure
- Full code in Jython, will be available in build HIPE v10.0+

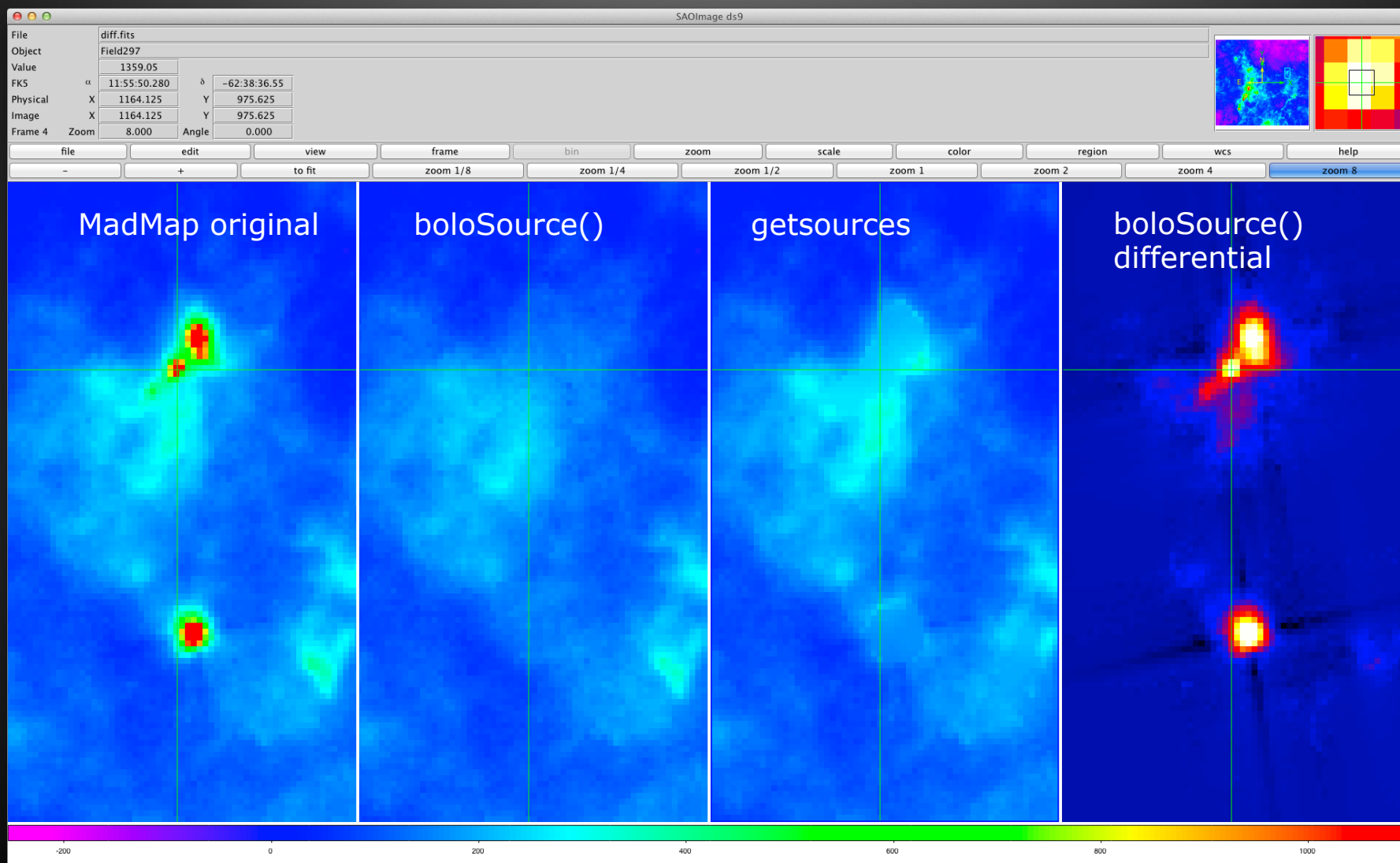
# Perspectives

- Build benchmarking environment by using simulated sources back-projected onto the L1 detector timeline
- Photometry on differential detection image. The benchmarking environment should cover the [surface brightness, PWS slope] space
- Try in combination with map-makers and check the reconstruction artifact removal potential (and get source detection map in one go!)
- Mask detection layer can be added. Thresholding on unsharp-masked image looks very promising (H. Bouy)
- Try it for SPIRE, simple ROI back-projection of L2->L1 mask is possible

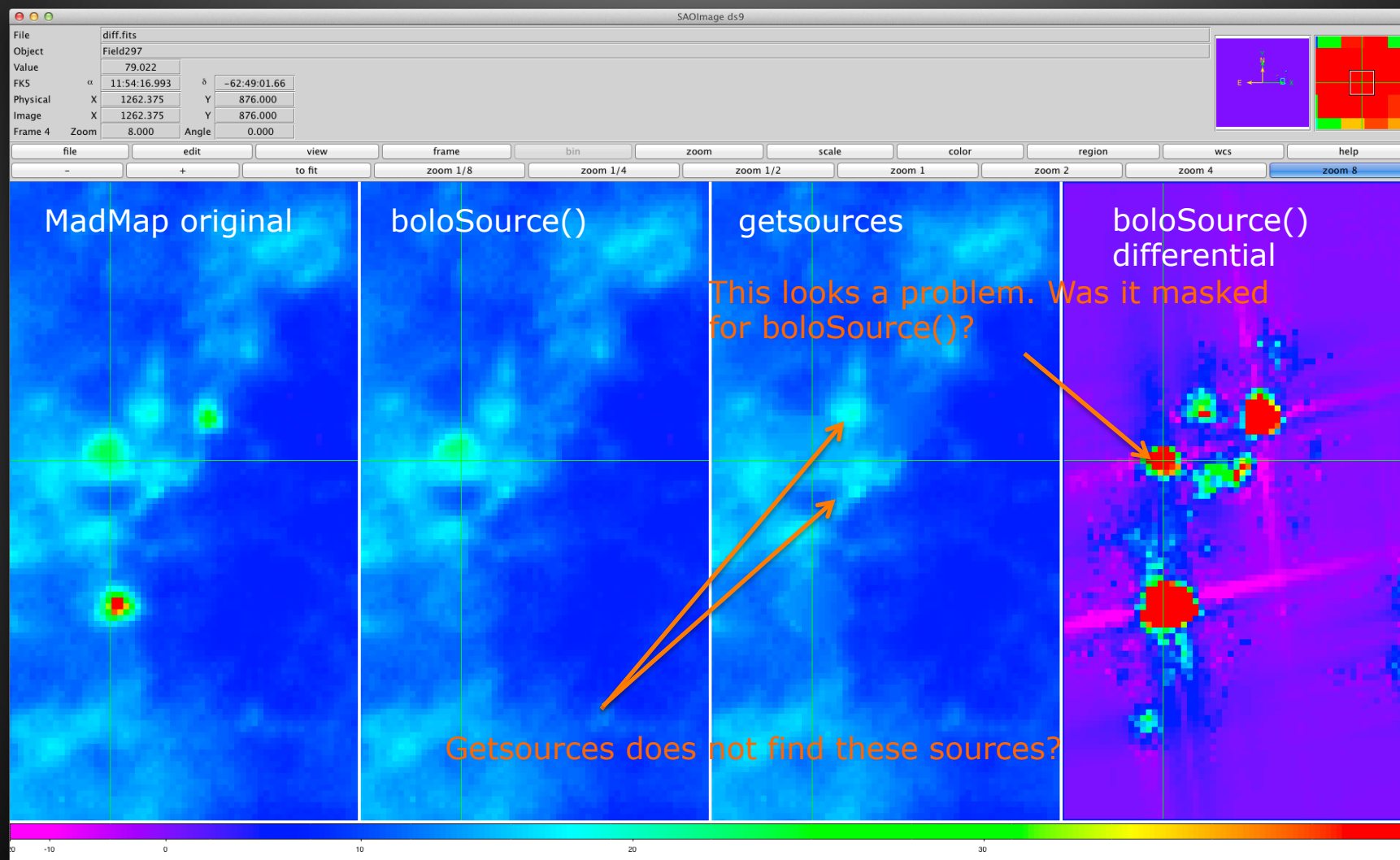
# Some examples



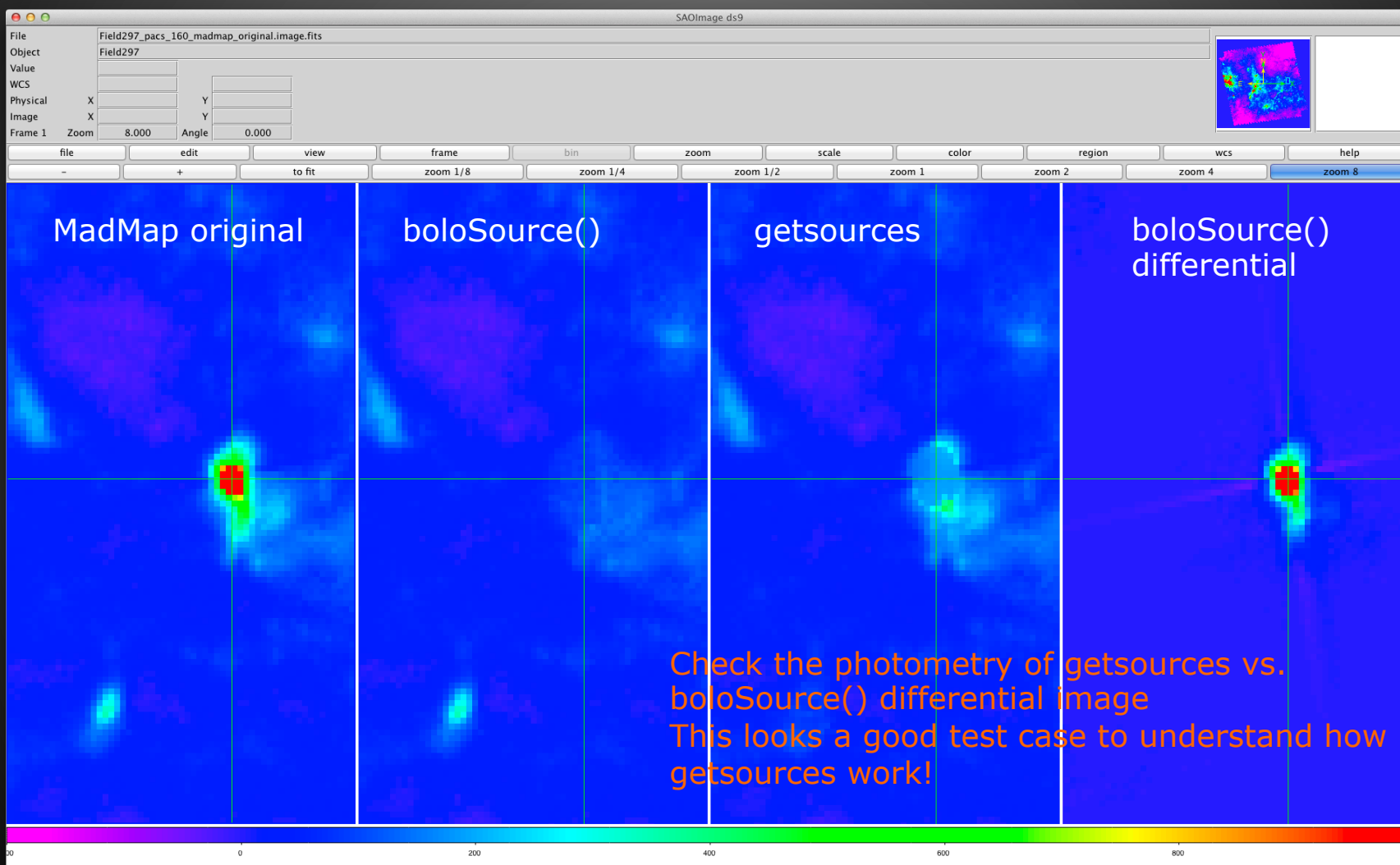
# Some examples



# Some examples



# Some examples



# Some examples

